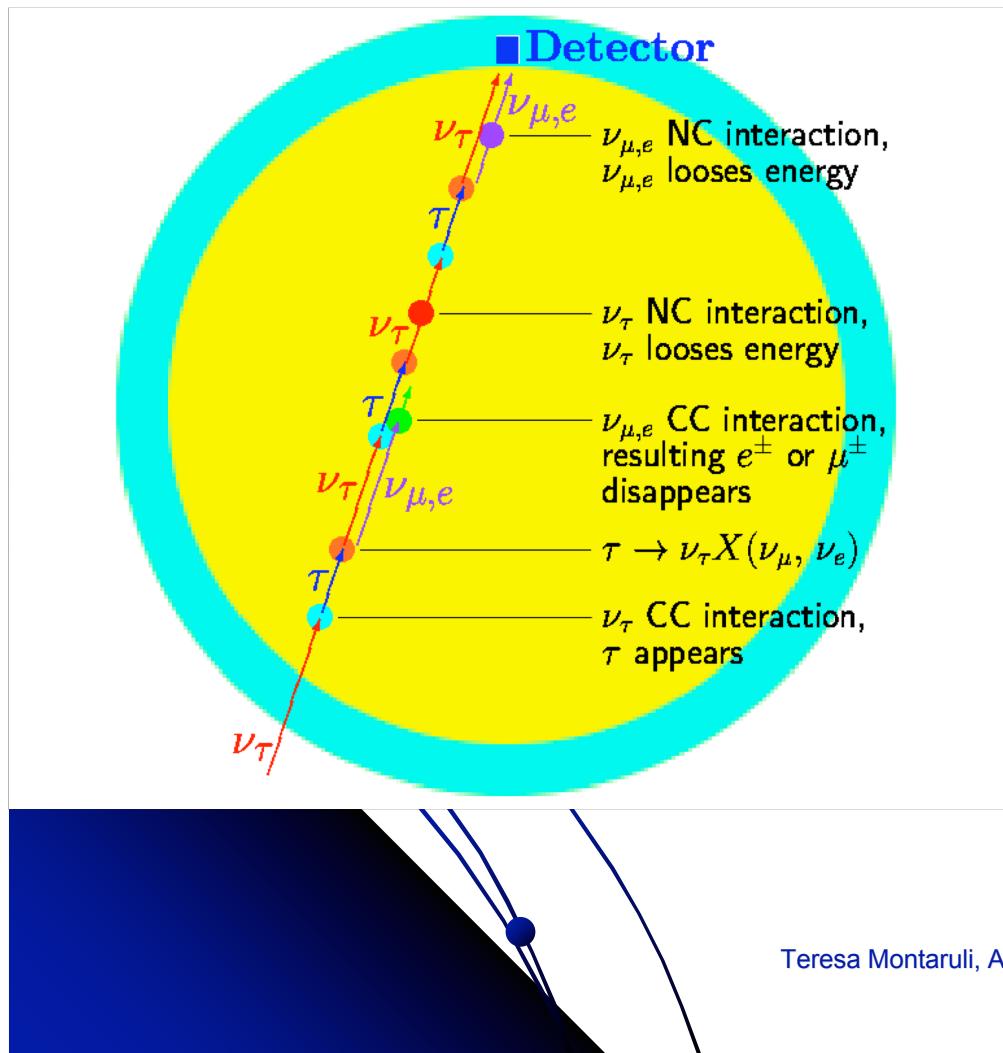


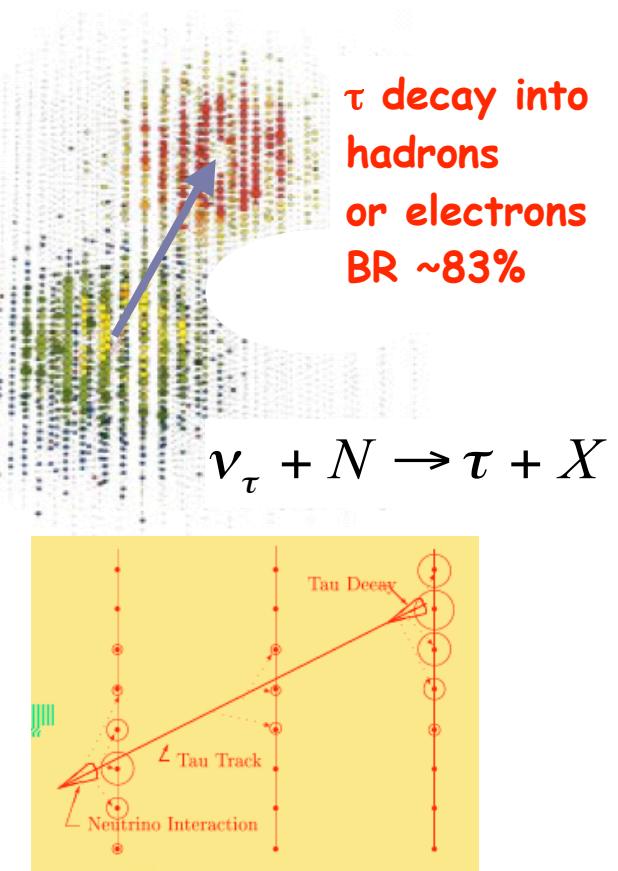
Tau neutrinos

Never absorbed but loose energy



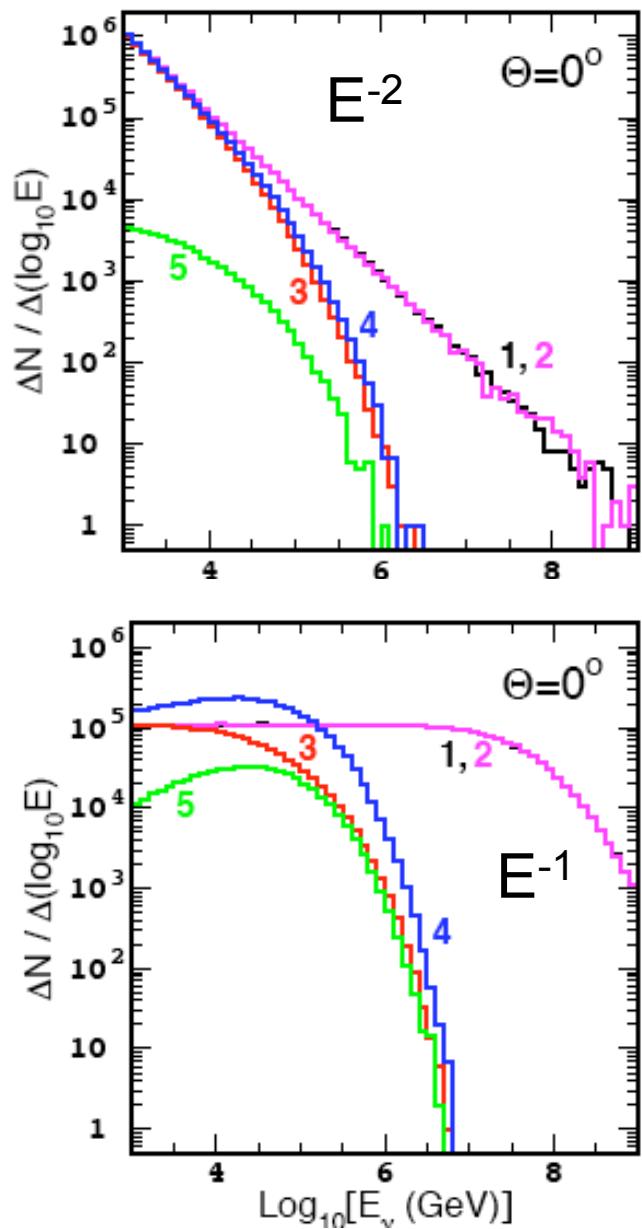
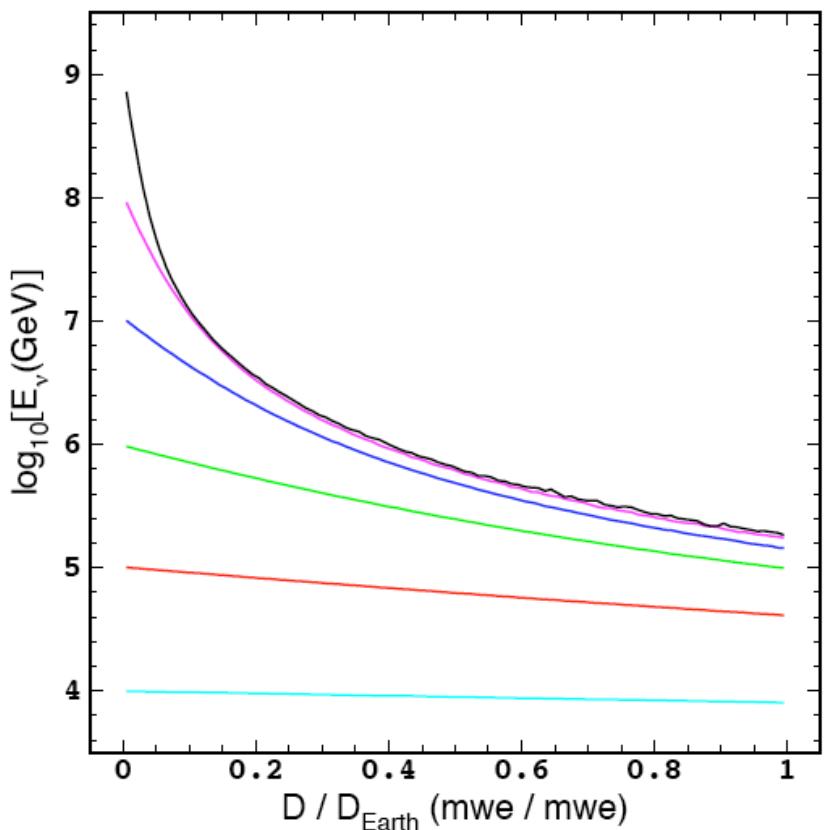
Teresa Montaruli, Apr. 2006

A topology for km^3
Double bang events
 $E_\tau > 2 \text{ PeV}$ $R_\tau \sim 100 \text{ m}$



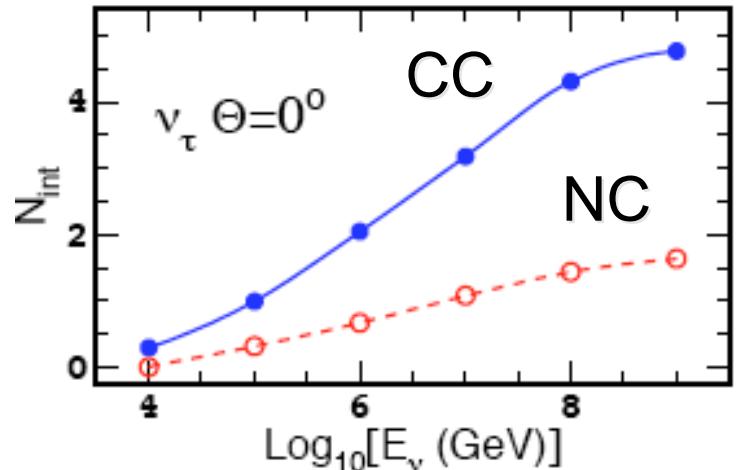
The Pile-up and regeneration

Mean rate of energy degradation for ν_τ of $10^4, 10^5, 10^6, 10^7, 10^8, 10^9$ GeV (bottom to top) vs fraction of Earth

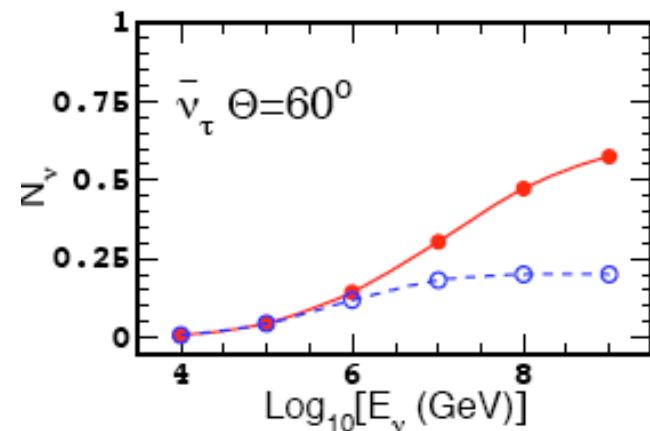
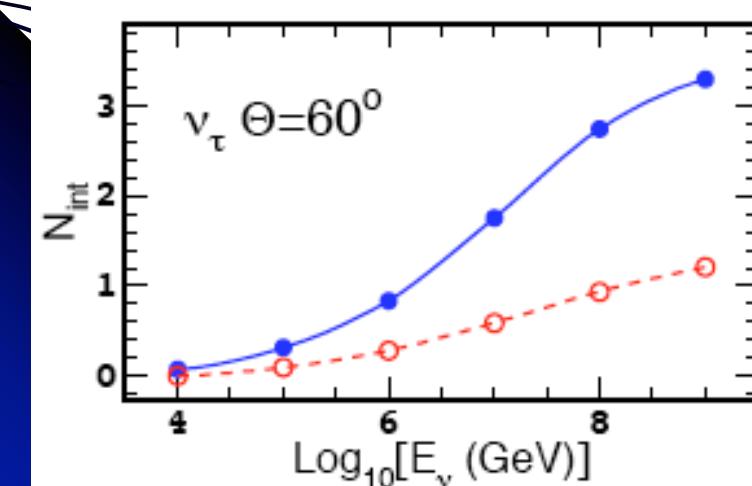
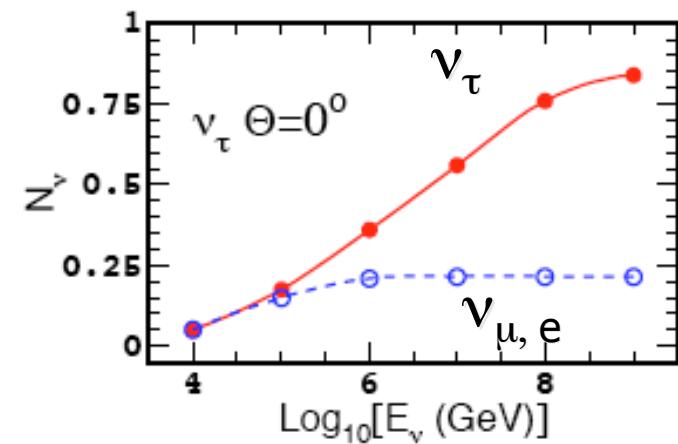


1,2 incoming ν_μ, ν_τ 3,4 outgoing ν_μ, ν_τ
 5 secondary neutrinos from ν_τ

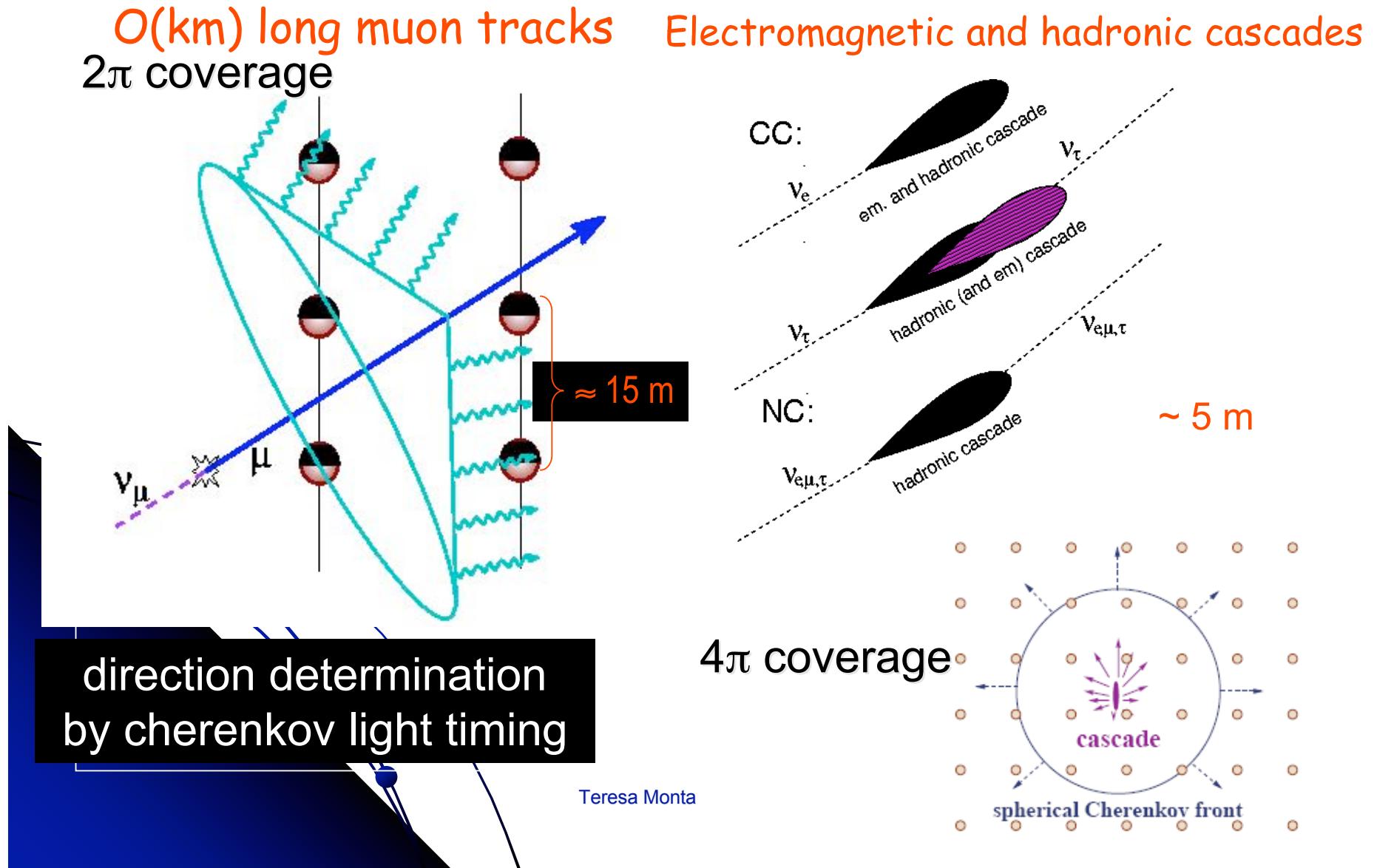
Tau neutrino propagation in the Earth



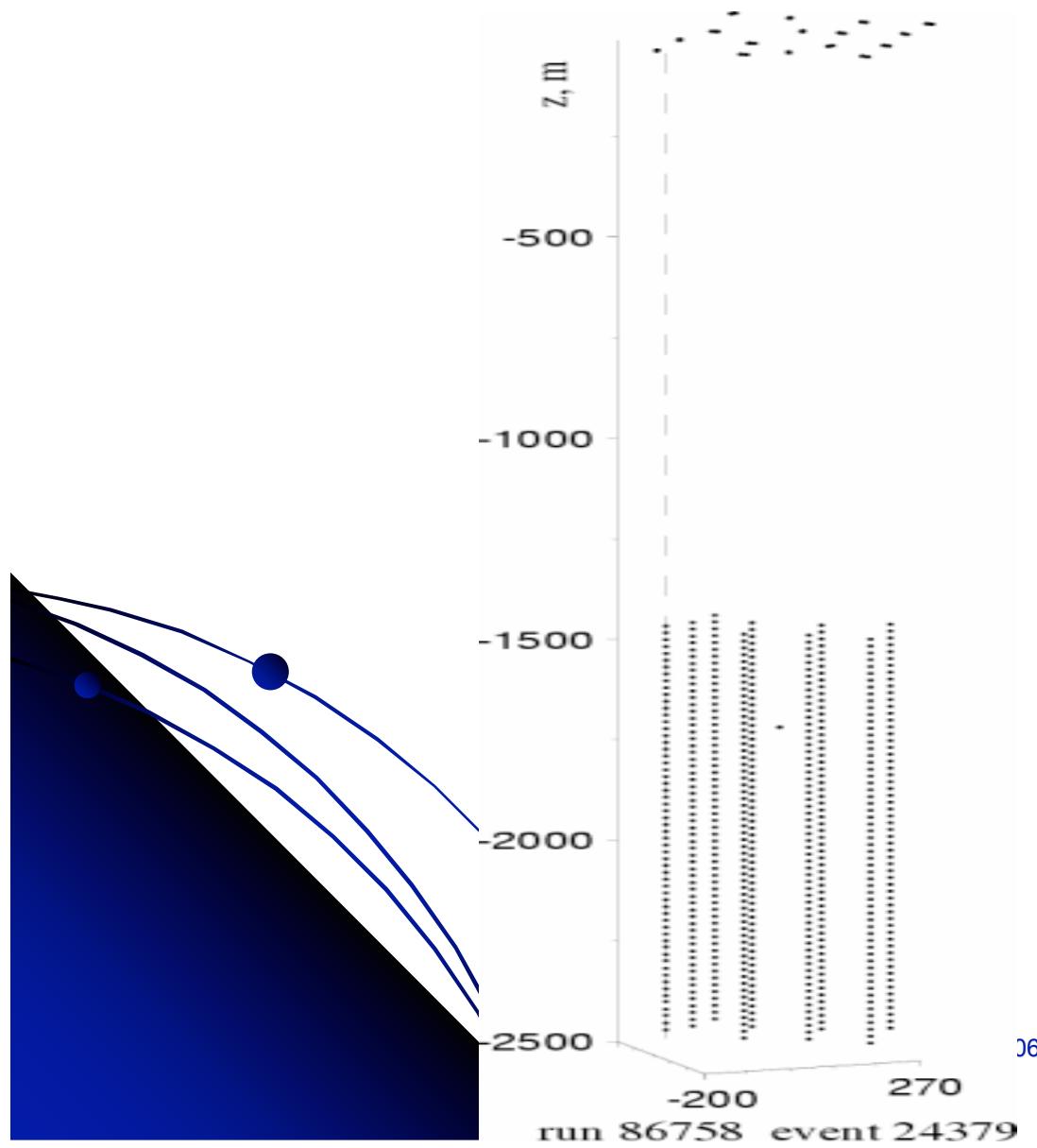
Secondary vs from v_τ



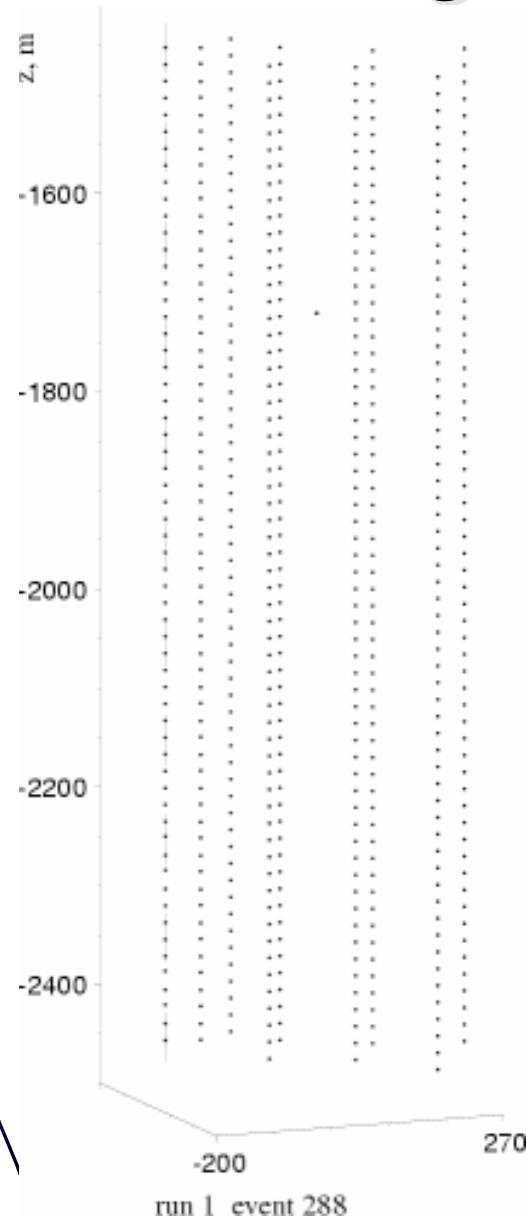
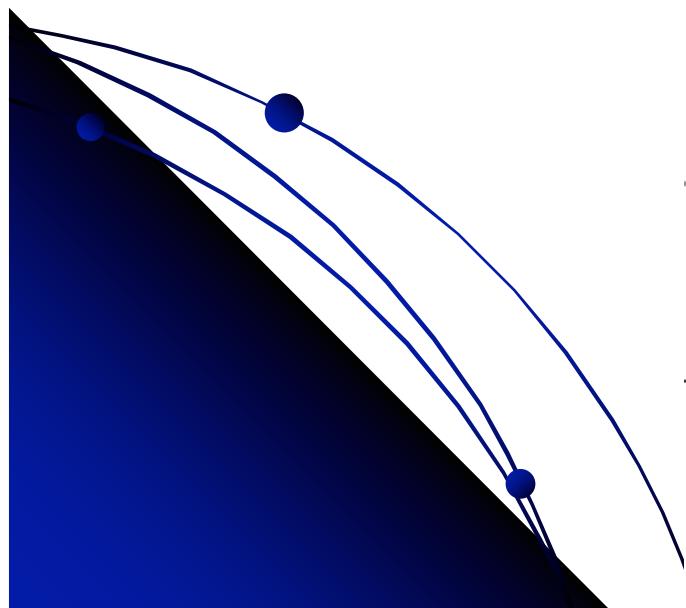
Detection of ν_e , ν_μ , ν_τ



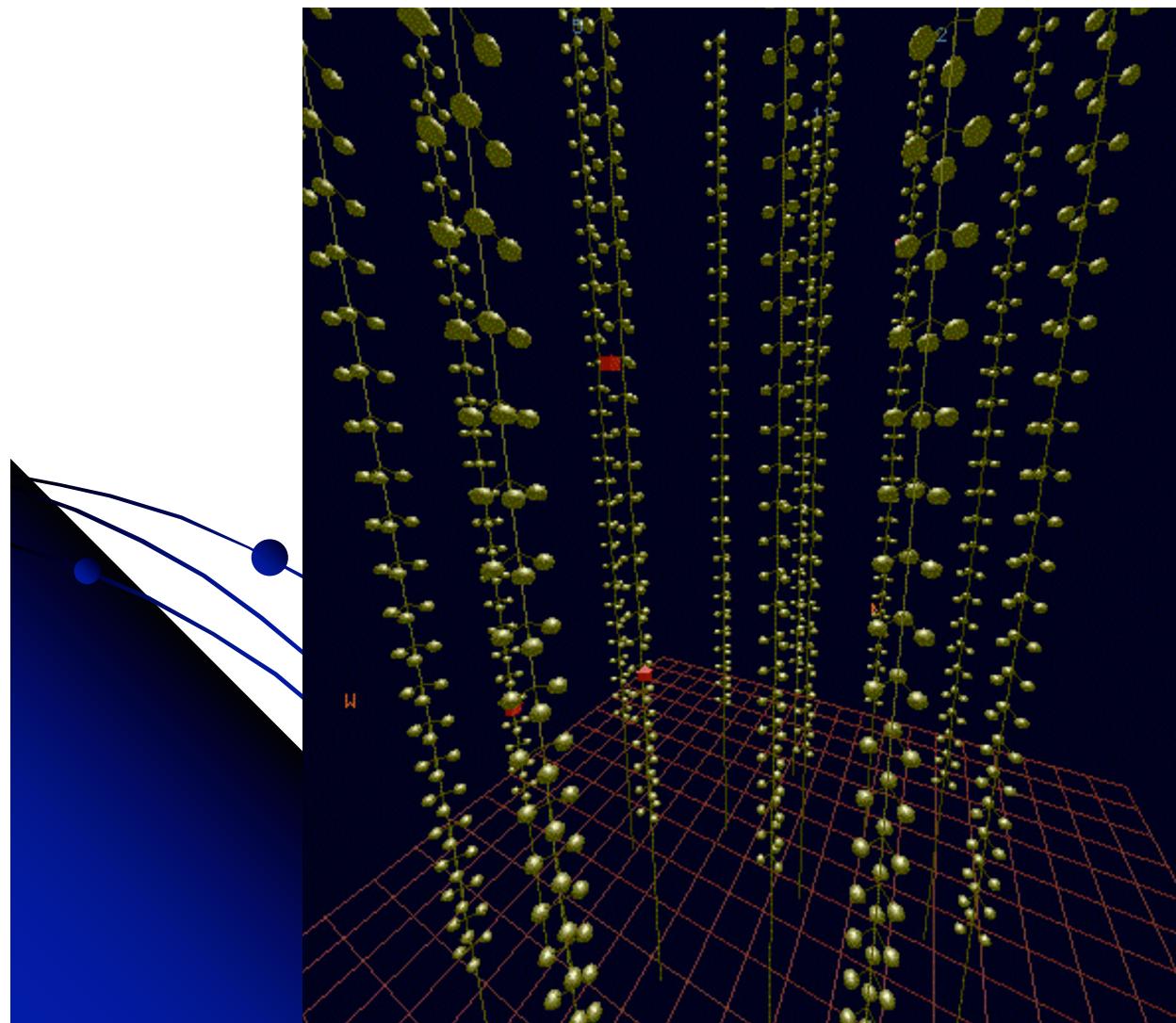
Events in 9 IceCube strings+18 Icetop Stations



Neutrino in 9 strings of icecube



Simulated Muon in ANTARES



The Cherenkov effect

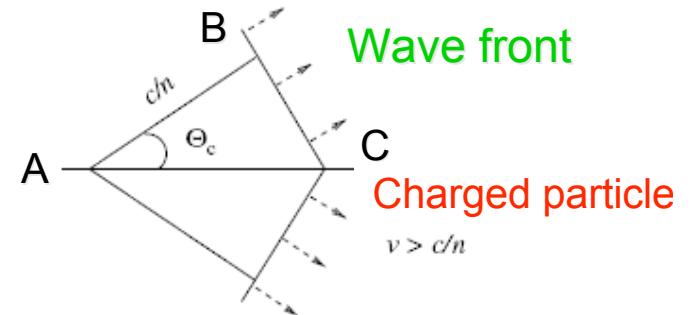
A charged particle radiates if its velocity is larger than the phase velocity of light $v > c/n$ or $\beta > 1/n$

Electrons start vibrating due to particle em field and some of the particle energy is converted in light

If the media is transparent the Cherenkov light can be detected

If the particle is ultra-relativistic $\beta \sim 1$ $\Theta_c = \text{const}$

In water $\Theta_c = 43^\circ$, in ice 41°



$$\cos \theta_c = \frac{AB}{AC} = \frac{\frac{c}{n}t}{\beta ct} = \frac{1}{\beta n}$$

$$\frac{d^2N_\gamma}{dx d\lambda} = \frac{2\pi \alpha}{\lambda^2} \left(1 - \frac{1}{n^2 \beta^2} \right) = \frac{2\pi}{\lambda^2} \alpha \sin^2 \theta_c$$

Using light detectors (photomultipliers) sensitive in 300-600 nm

$$\varepsilon_{pm}(\lambda) = 1 \Rightarrow \frac{dN_\gamma}{dx} = 350 \text{ photons/cm}^2$$

for an ideally 100% efficient detector

$$\begin{aligned} \frac{d^2N}{dEdx} &= \frac{\alpha z^2}{\hbar c} \sin^2 \theta_c = \frac{\alpha^2 z^2}{r_e m_e c^2} \left(1 - \frac{1}{\beta^2 n^2(E)} \right) \\ &\approx 370 \sin^2 \theta_c(E) \text{ eV}^{-1} \text{cm}^{-1} \quad (z = 1), \end{aligned}$$

About 10^4 less than 2 MeV/cm in water
from ionization but directional effect

The Cherenkov radiators

In radiators γ s are absorbed and scattered

Absorption affects light signal amplitude \Rightarrow determines detector granularity

Scattering affects γ arrival time distribution \Rightarrow angular resolution

Sea water: $\lambda_{att} \sim 40\text{-}50 \text{ m}$ $\lambda_{abs} \sim 50\text{-}60 \text{ m}$ $\lambda_{scatt} > 200 \text{ m}$ (Blue 450 nm)

Lake Baikal $\lambda_{att} \sim 20 \text{ m}$ $\lambda_{abs} = 15\text{-}30 \text{ m}$ $\lambda_{scatt} > 100 \text{ m}$

Polar ice: $\lambda_{abs} \sim 100 \text{ m}$ $\lambda_{scat} \sim 25 \text{ m}$

$$I = I_0 \frac{A}{4\pi R^2} e^{-R/\lambda_{att}}$$

For an isotropic source of light:

I_0 = intensity of source

I = intensity at distance R

$$\frac{1}{\lambda_{att}} = \frac{1}{\lambda_{abs}} + \frac{1}{\lambda_{scatt}}$$

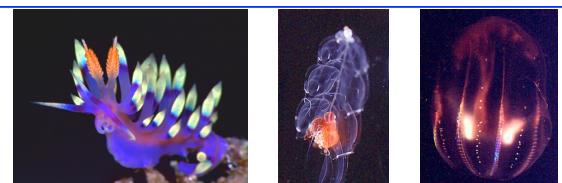
Ice is a more quiet environment than the sea (less optical backgrounds like ^{40}K β decay that produces light due to e^+ , no currents, no sediments, no fishes!!)

South Pole is far and expensive to carry the material

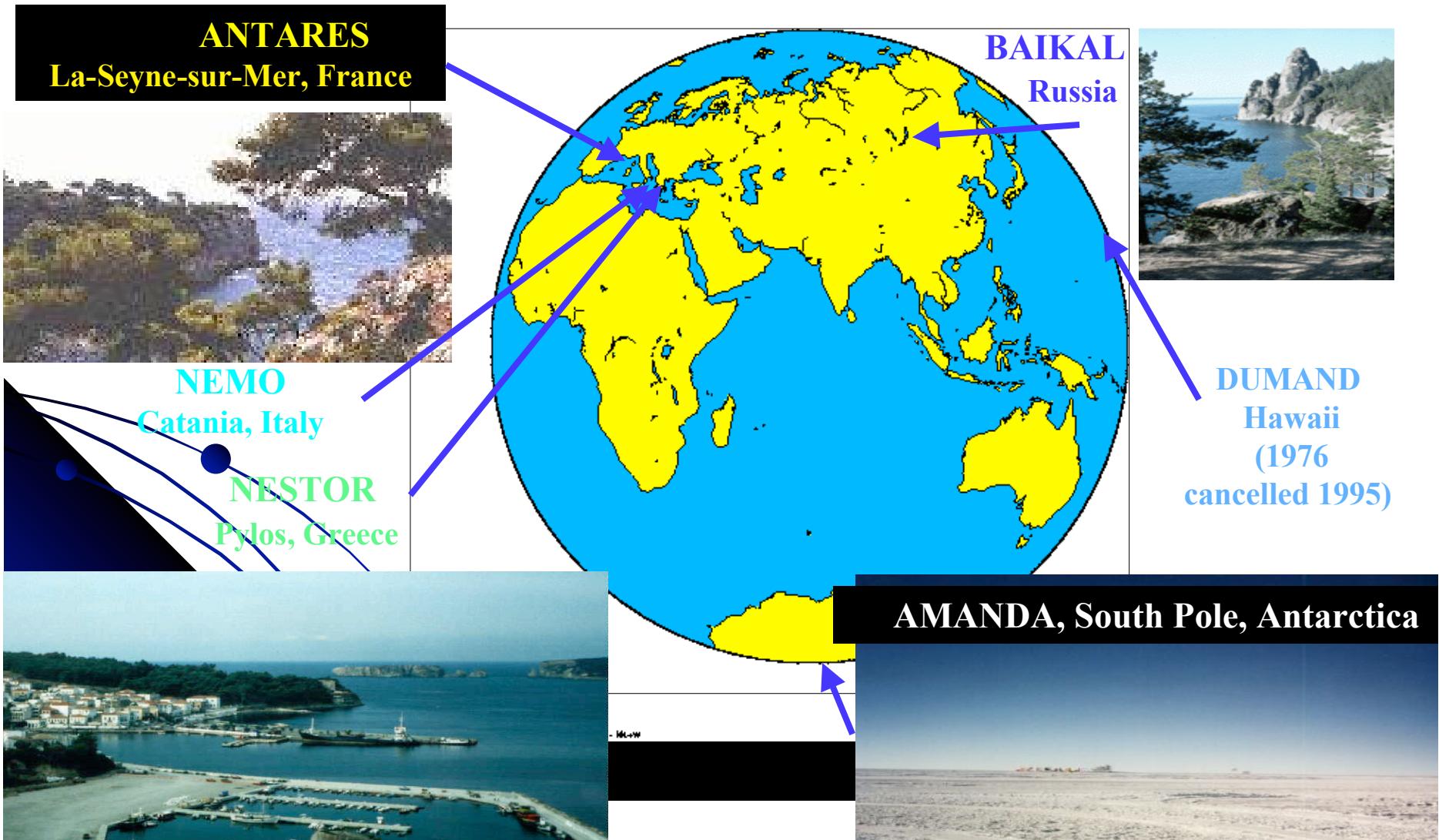
Ice has more scattering than water, affecting the pointing capability, and more dependency on its properties with depth



Teresa Montaruli, Apr. 2006



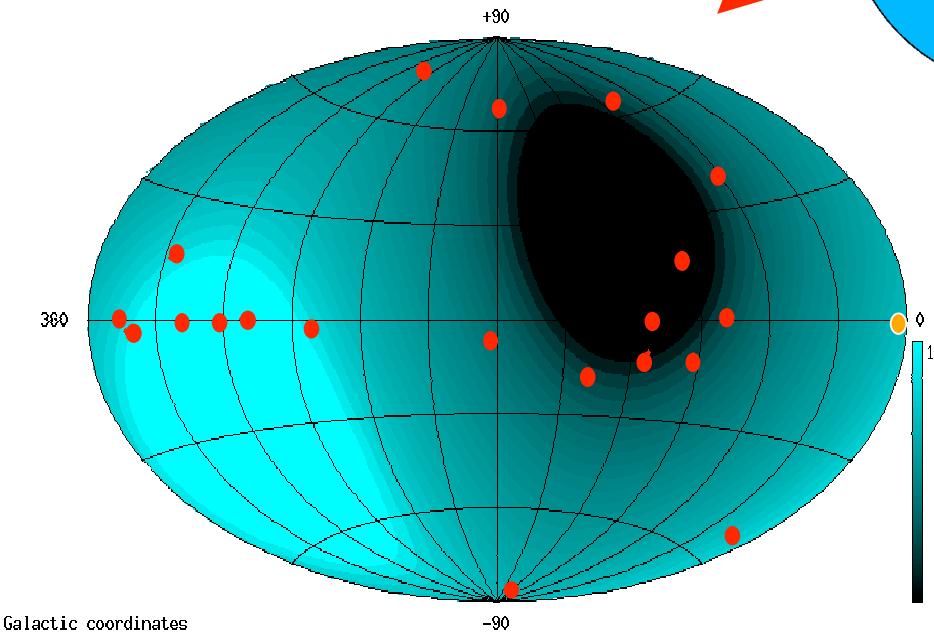
Cherenkov Neutrino Telescope Projects



Sky Visibility for

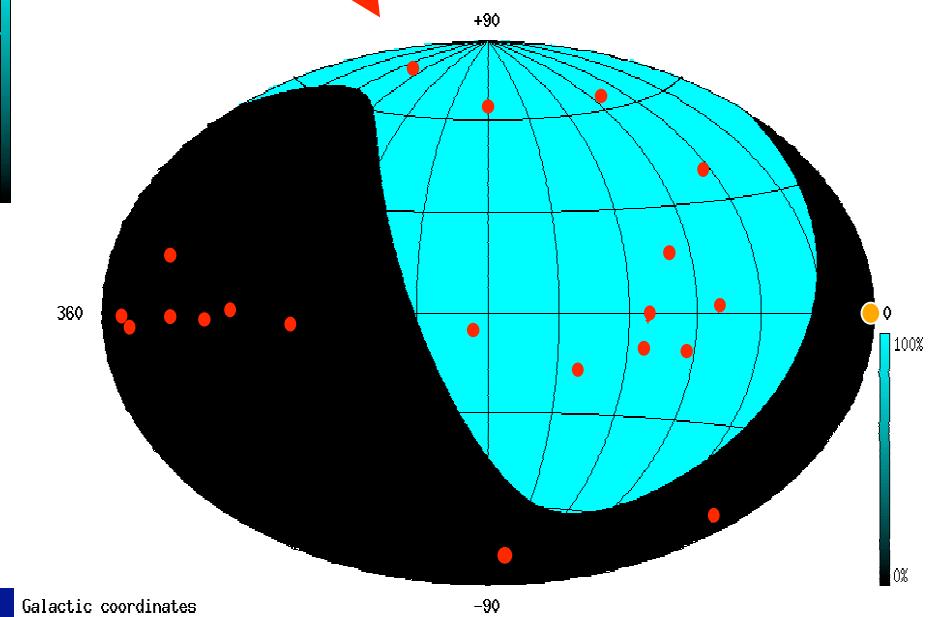
upgoing μ s

Hw for extra credits
Calculate for which
percentage of the day
your source is visible
by the detector you
chose



Mediterranean
France 43° North
2/3 of time: Galactic Centre

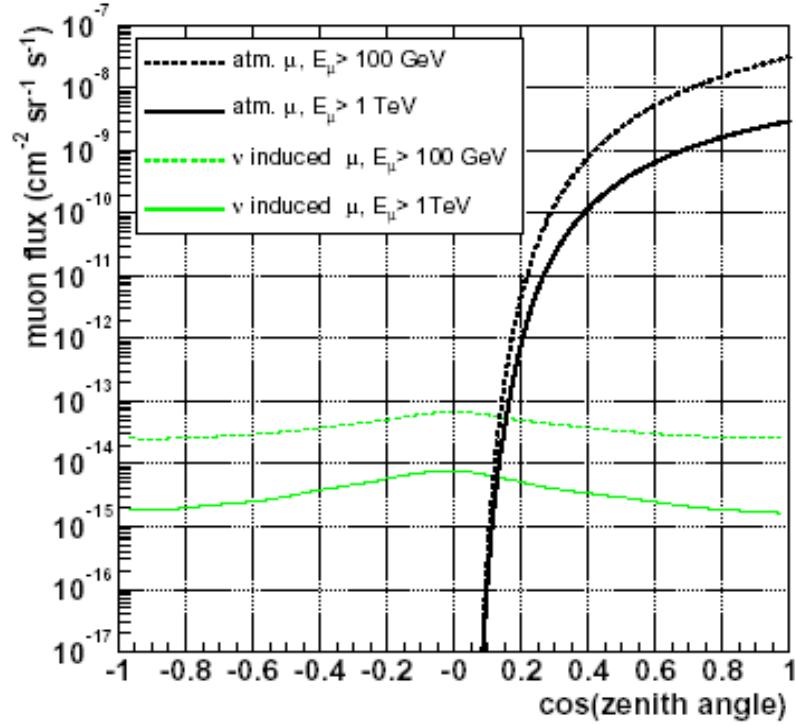
0.6 π sr instantaneous view



TeV γ sources

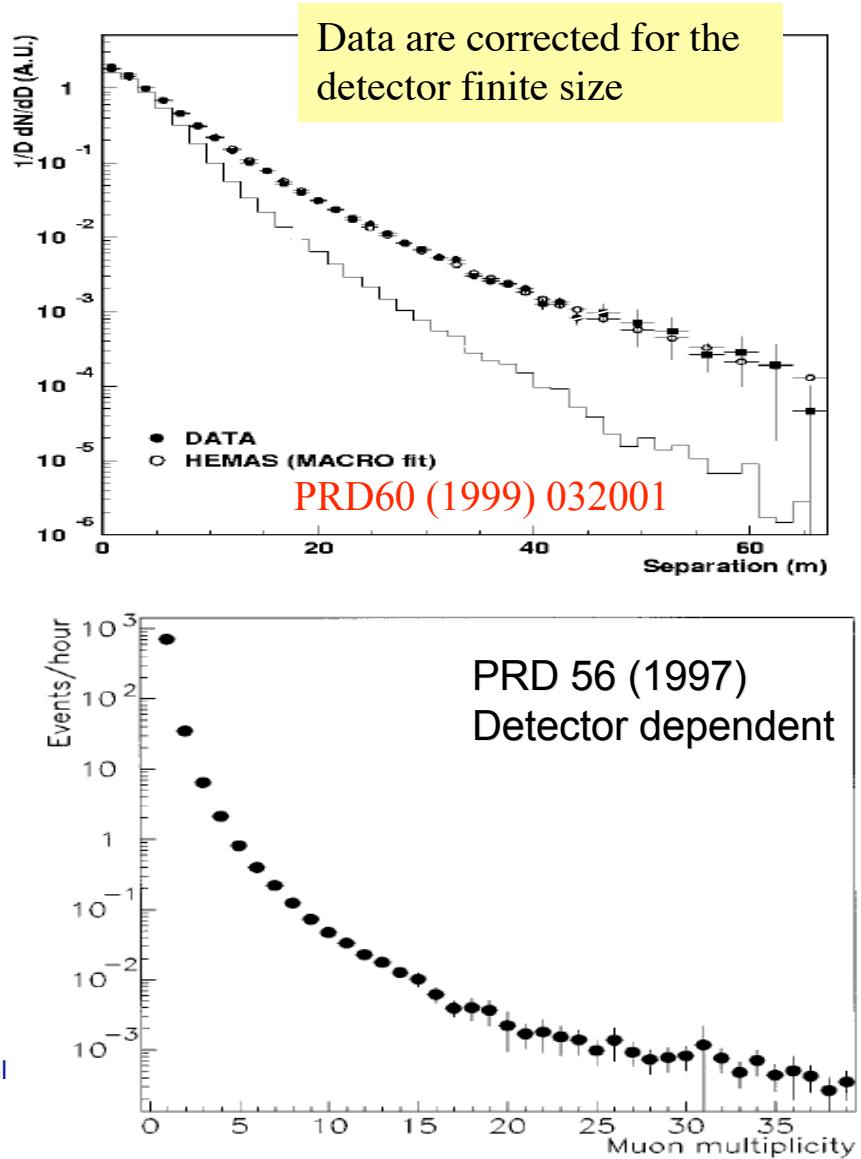
Atmospheric μ background

MACRO results in 1000 m² at 1100 m under surface



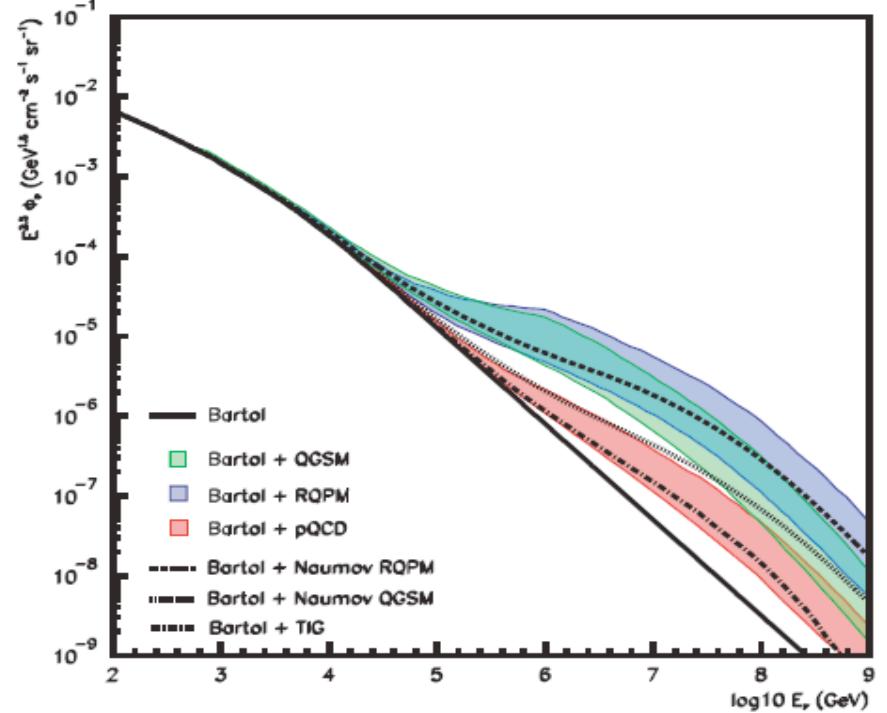
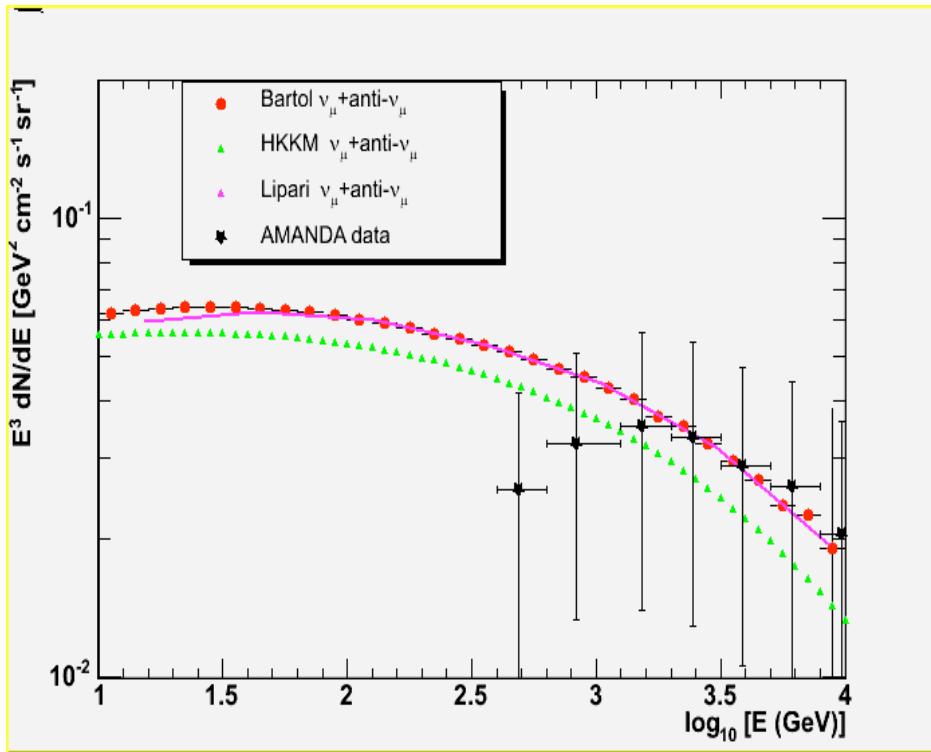
2.4 km depth

Only upward going muons or showers
in the instrumented region can be
distinguished from atm muons



antarul

Atmospheric vs: a background and a calibration source



Large uncertainty due to CR flux knowledge around the knee and K physics/charmed meson decays



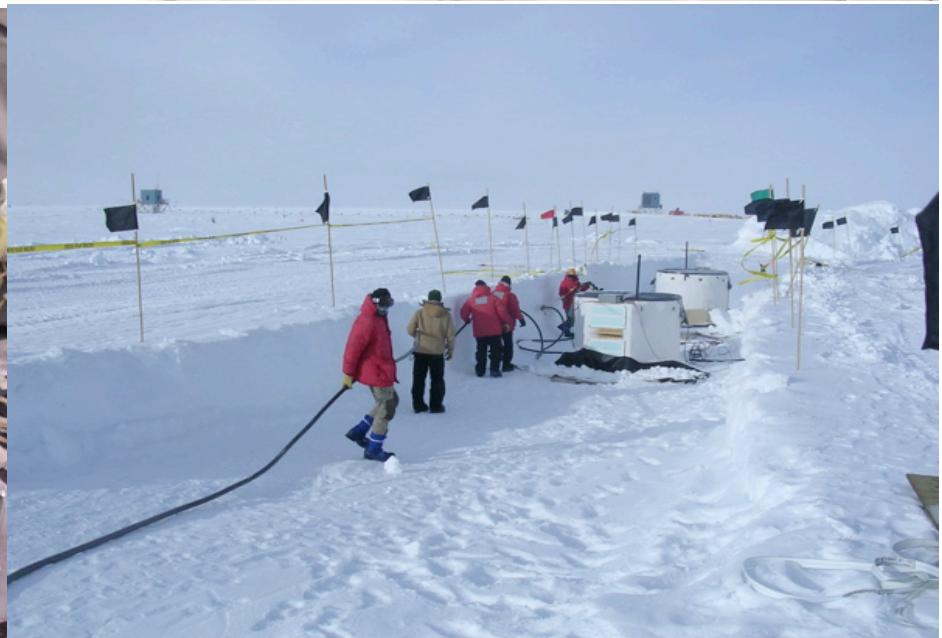
Teresa Montaruli, Apr. 2006

Building detectors: towers/lines in the ice

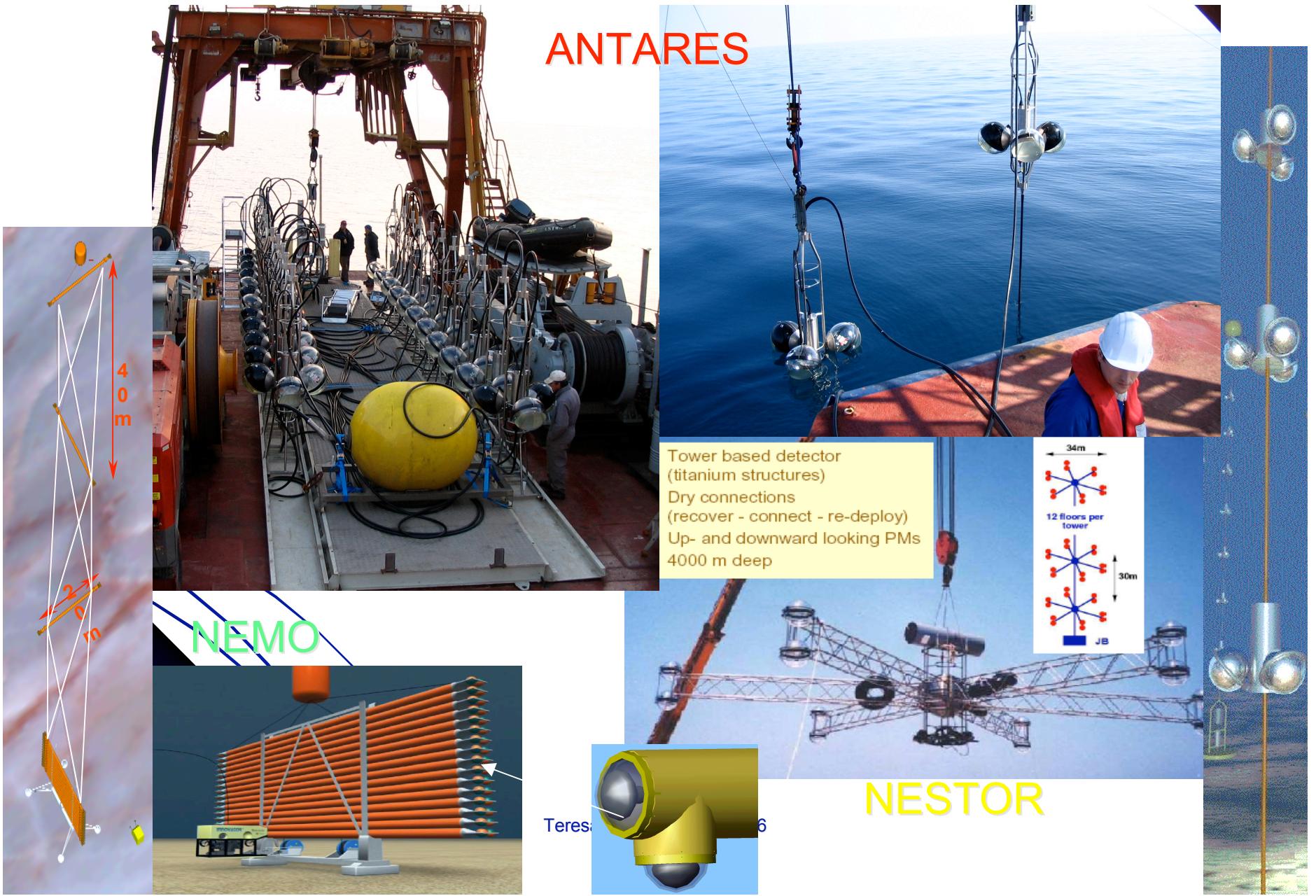
6t for 1 string



Drilling with hot water jet



Building detectors: towers/lines in the sea



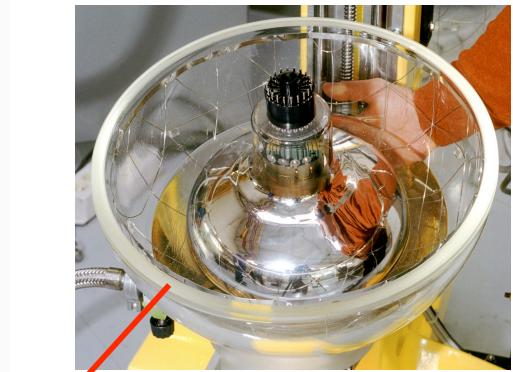
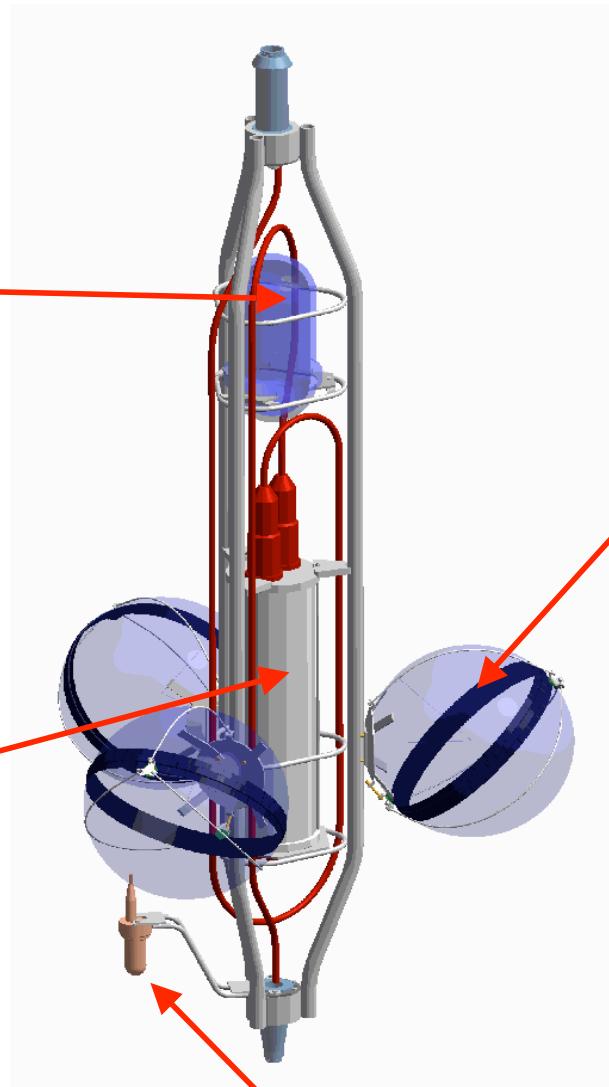
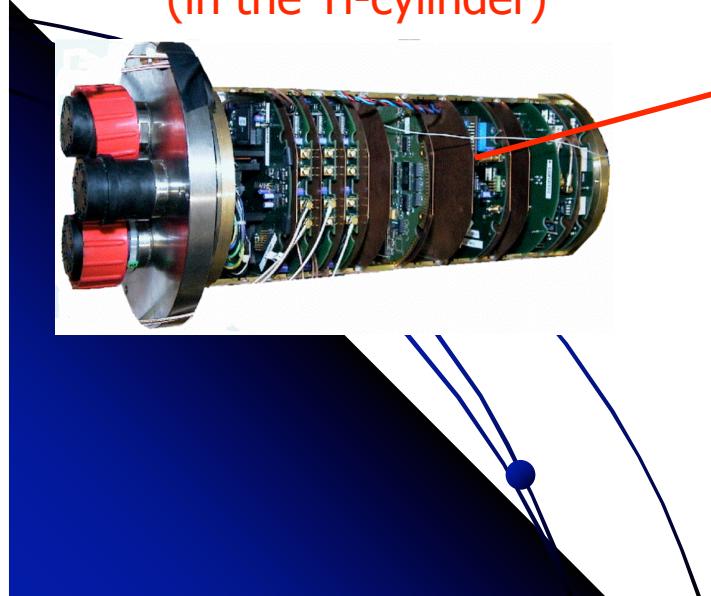
Basic detector element in the sea



Optical
Beacon
for timing
calibration
(blue LEDs)
1/4 floors



Local Control Module
(in the Ti-cylinder)



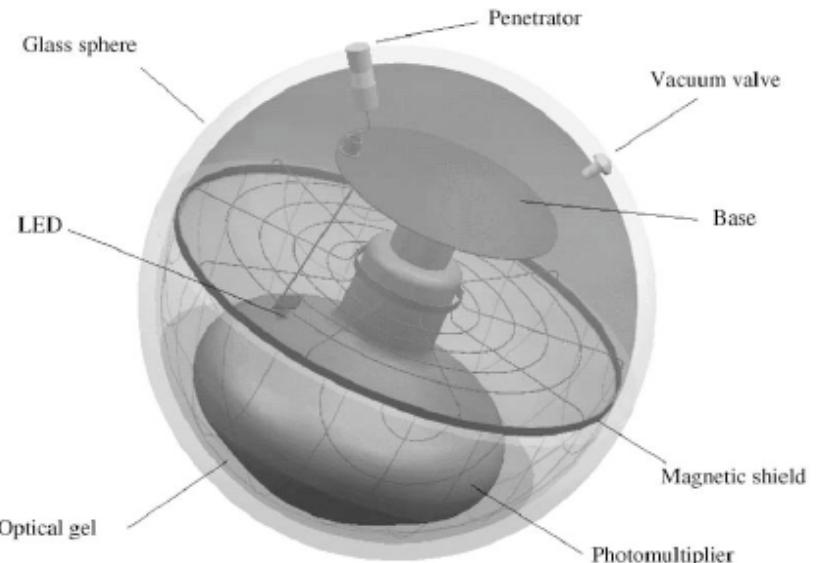
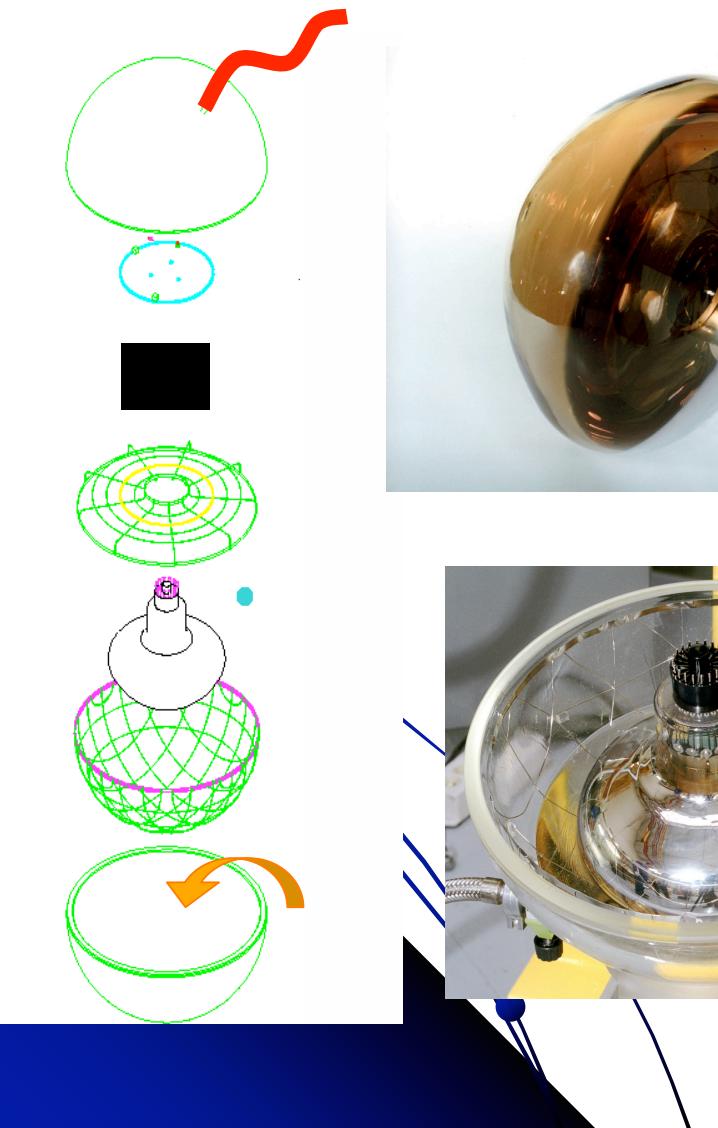
17" glass sphere
10" PMT Ham. R7081-20
14 stages



Hydrophone RX

Optical Modules

Blow-up of an Optical Module

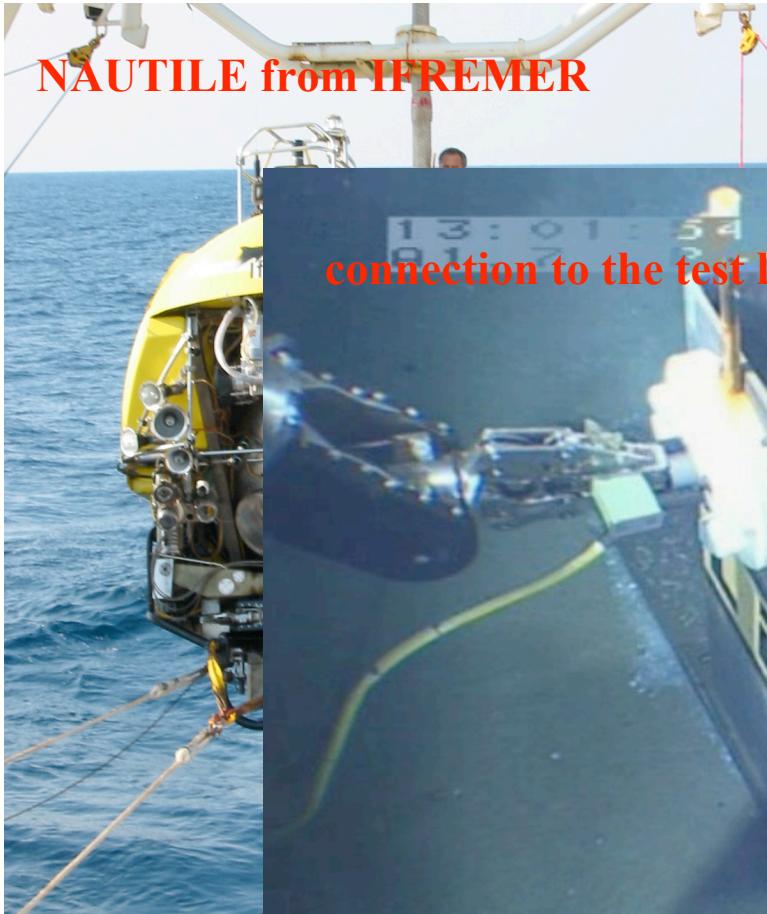


Resistant to $>>260$ bars
transparent 400-500 nm
Pressure relation with depth in a media
of density ρ

$p_{\text{at depth } h} = p_{\text{atm}} + \rho gh$
Weight of liquid column at depth h
About 1 atm / 10 m

Teresa Montaruli, Apr. 2006

Sea operations: submarine connections



Teresa Montaruli, Apr. 2006

Monitoring of storey position and orientation

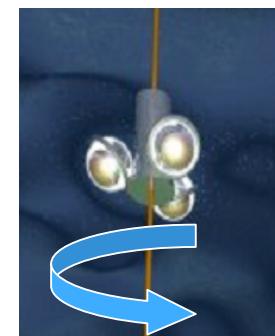
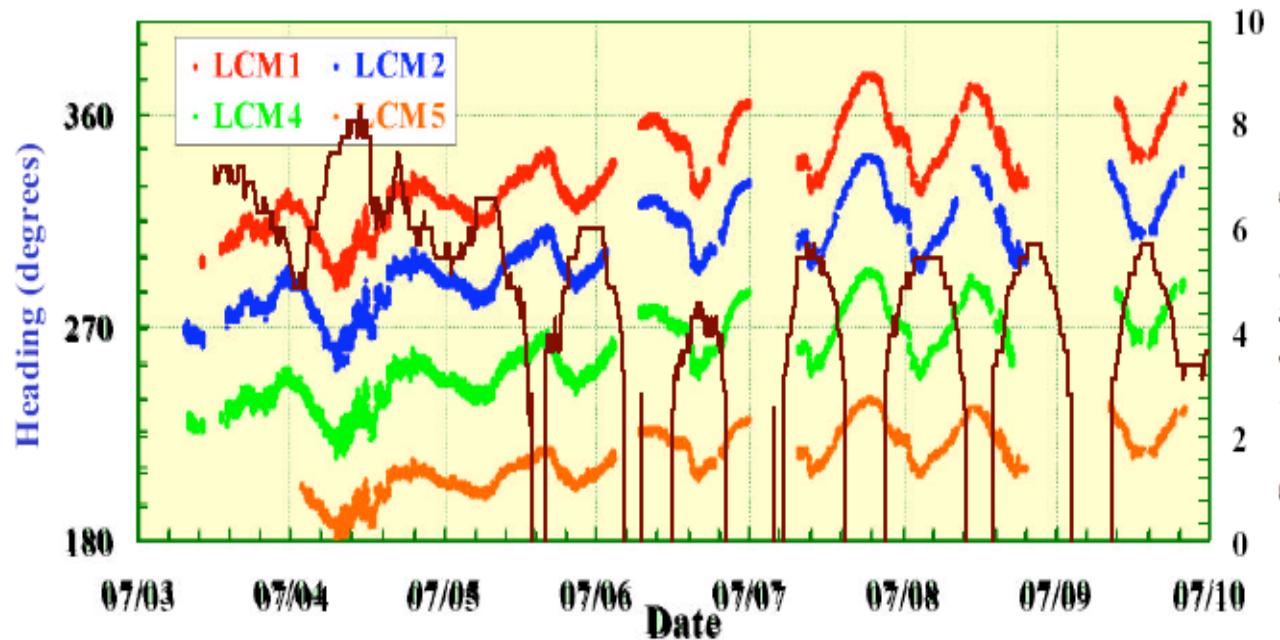
Absolute time: clock system + GPS \Rightarrow msec accuracy

Absolute orientation: $<0.1^\circ$ accuracy through set of transponders whose position is determined with respect to a boat positioned by GPS system

Relative positioning: acoustic triangulation (acoustic beacons at sea floor + hydrophones at storeys)

Orientation: compass and tiltmeters in storeys

Accuracy: ~ 0.5 ns $\Rightarrow \sim 10$ cm



Heading vs time at 4 positions along line \Rightarrow it moves coherently. Movements correlated to sea current (inertial oscillations due to Coriolis). Line is essentially vertical

Some results from the MILOM

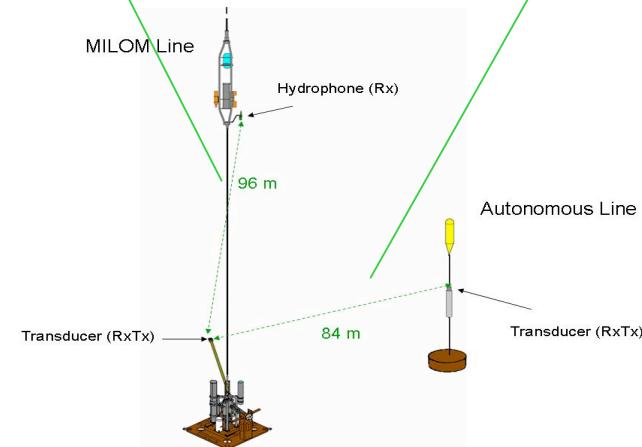
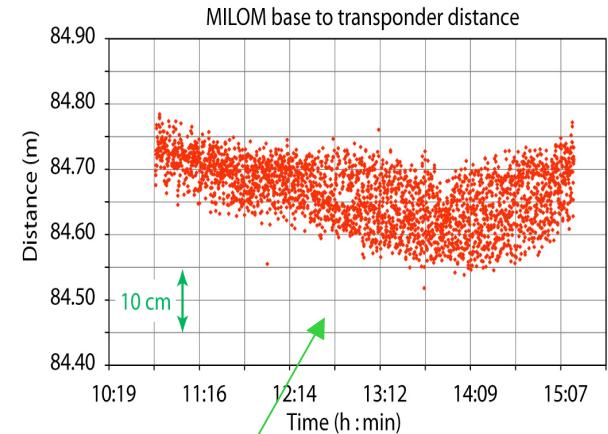
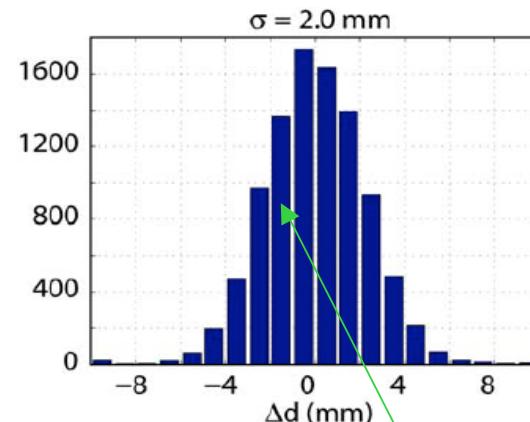
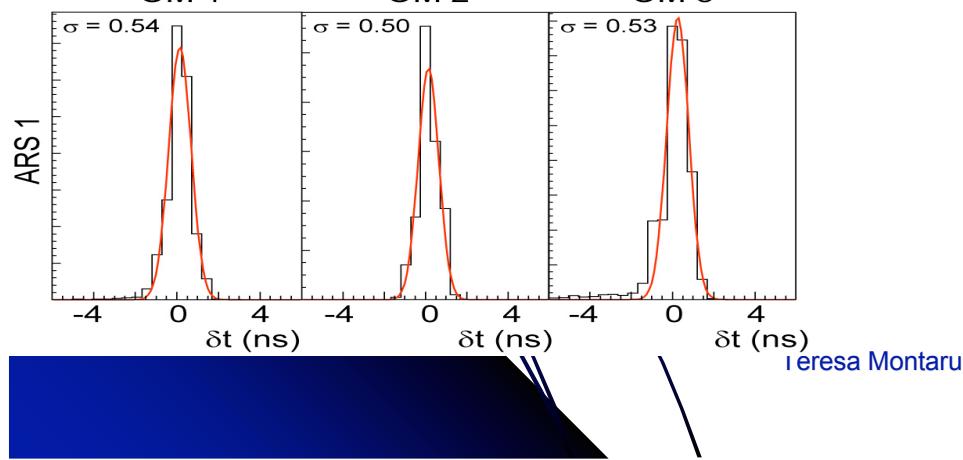
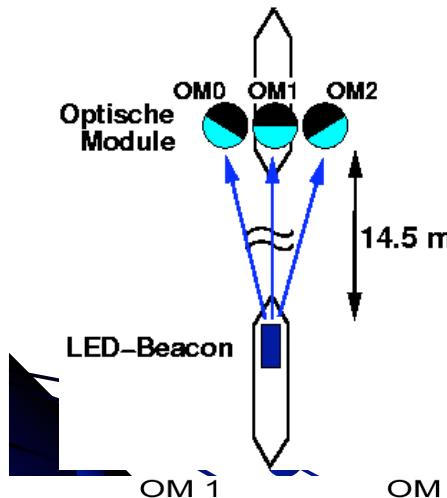
Time calibration with LED beacons:

large light pulses (effect of electronic, TTS of PMTs small)

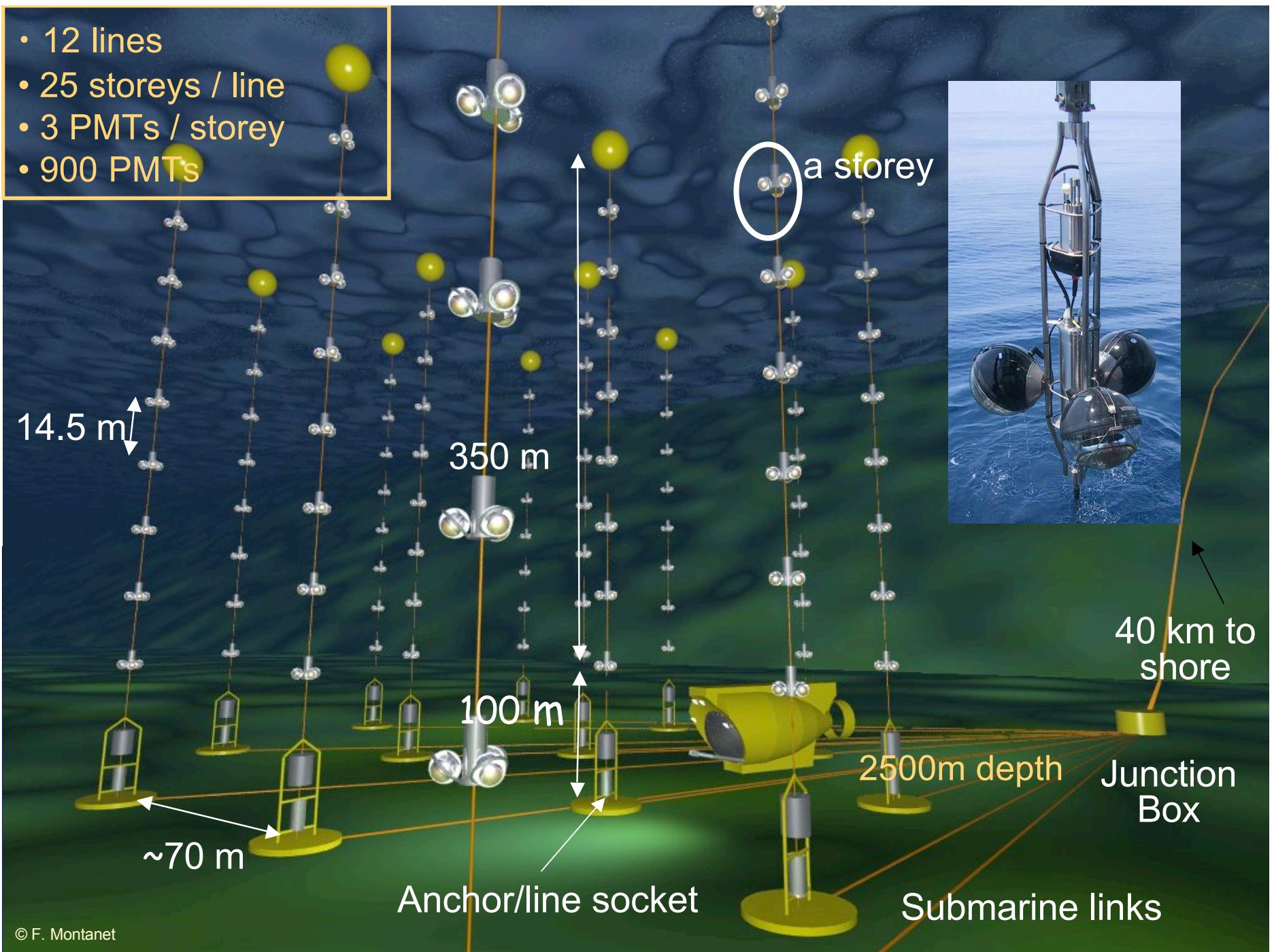


Time difference between OMs and internal
PMT of LED beacons

**Acoustic positioning: required precision
on 3D position of the OMs is ~10 cm.**



- 12 lines
- 25 storeys / line
- 3 PMTs / storey
- 900 PMTs

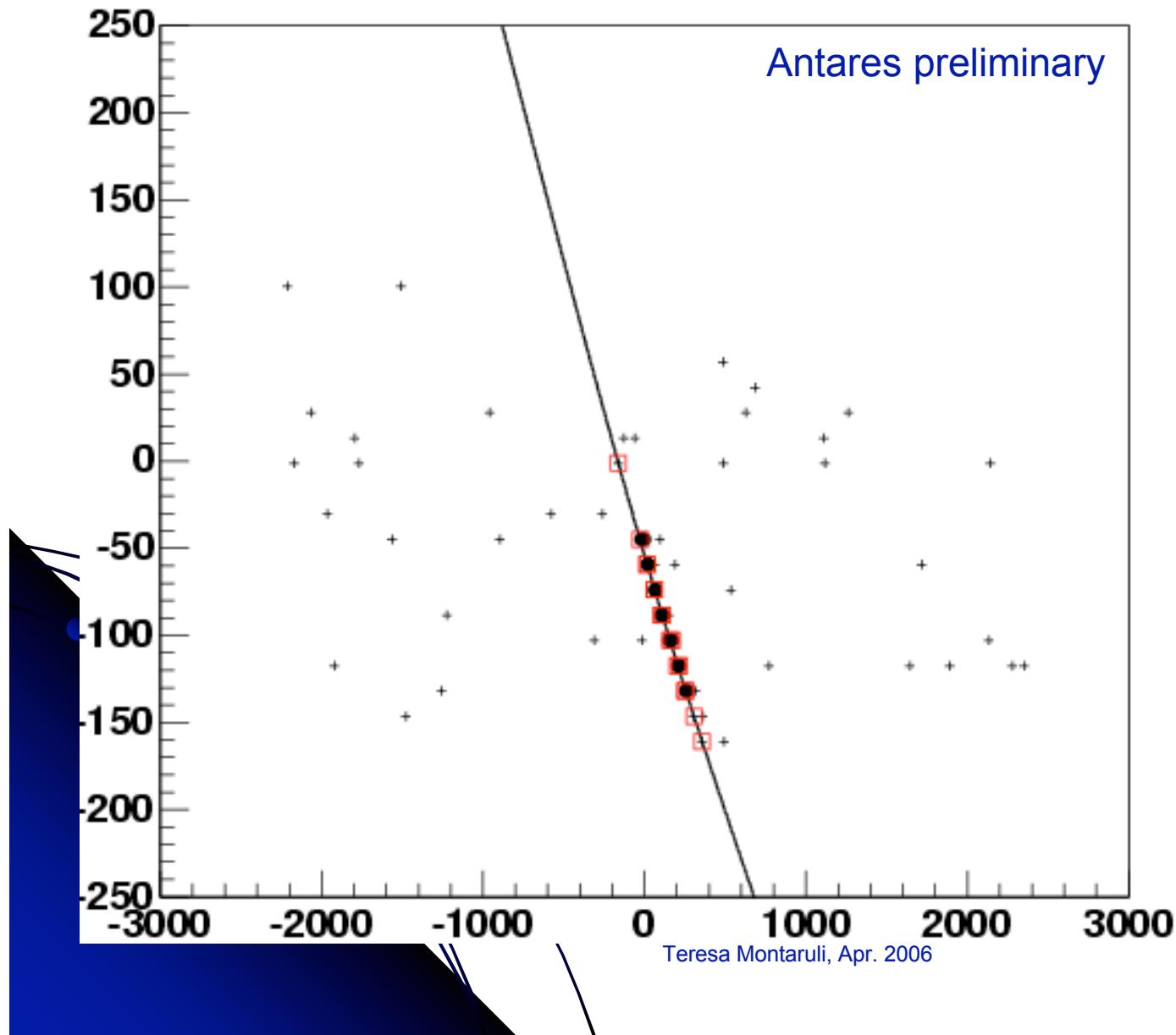


The first line

Deployed on Feb 14
Connected to JB on Mar 2



Reconstructed muons



21240 / 12527
 $\theta = 172^\circ$
 $P(\chi^2, \text{ndf}) = 0.94$

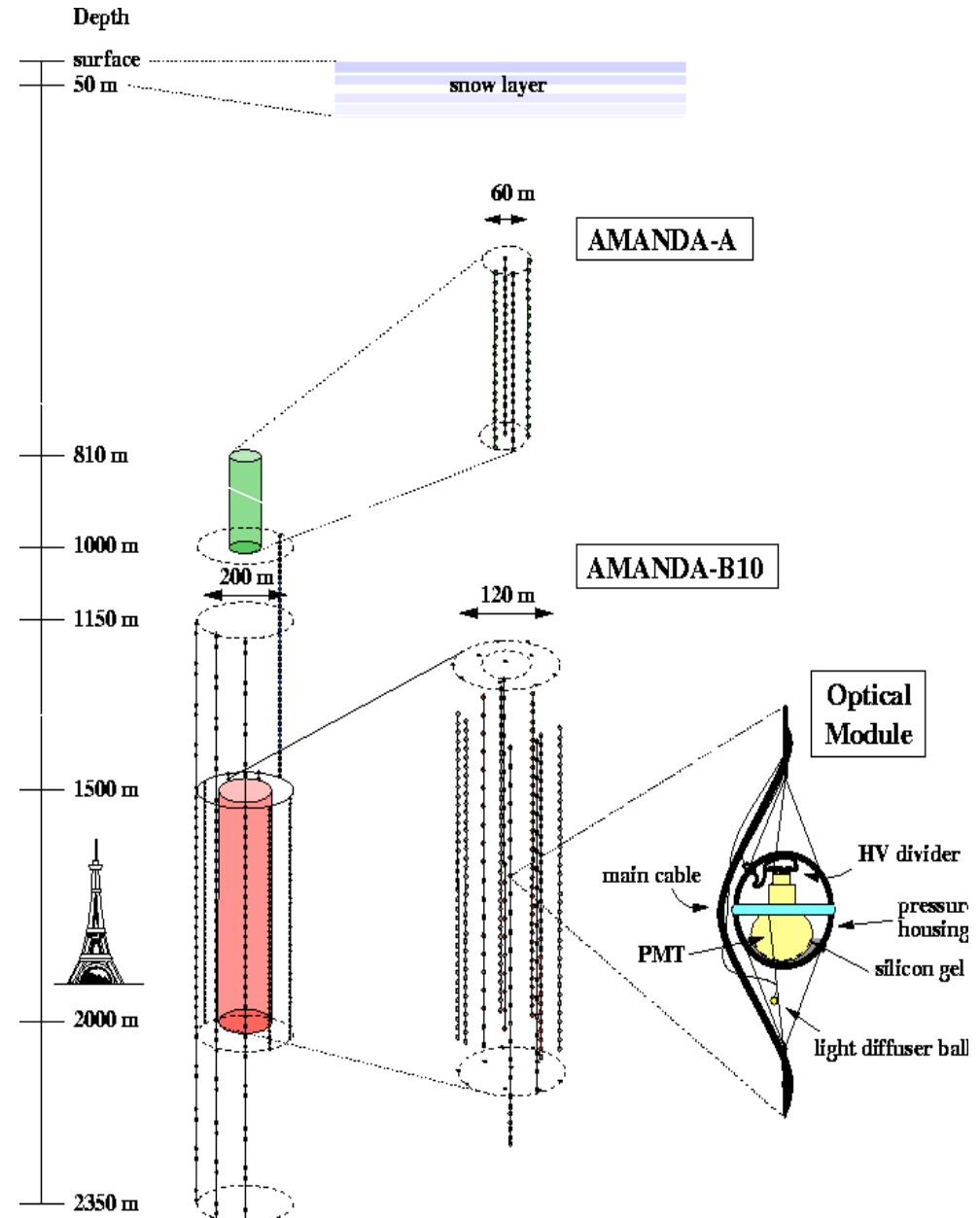
AMANDA

AMANDA-B10

- 10 strings
- 302 OM
- 102 diameter
- Years = 1997-99

AMANDA-II

- 19 strings
- 677 OM
- 200 m diameter
- 400 m tall
- Years ≥ 2000
- Trigger rate 80 Hz



Teresa Mo

AMANDA as of 2000

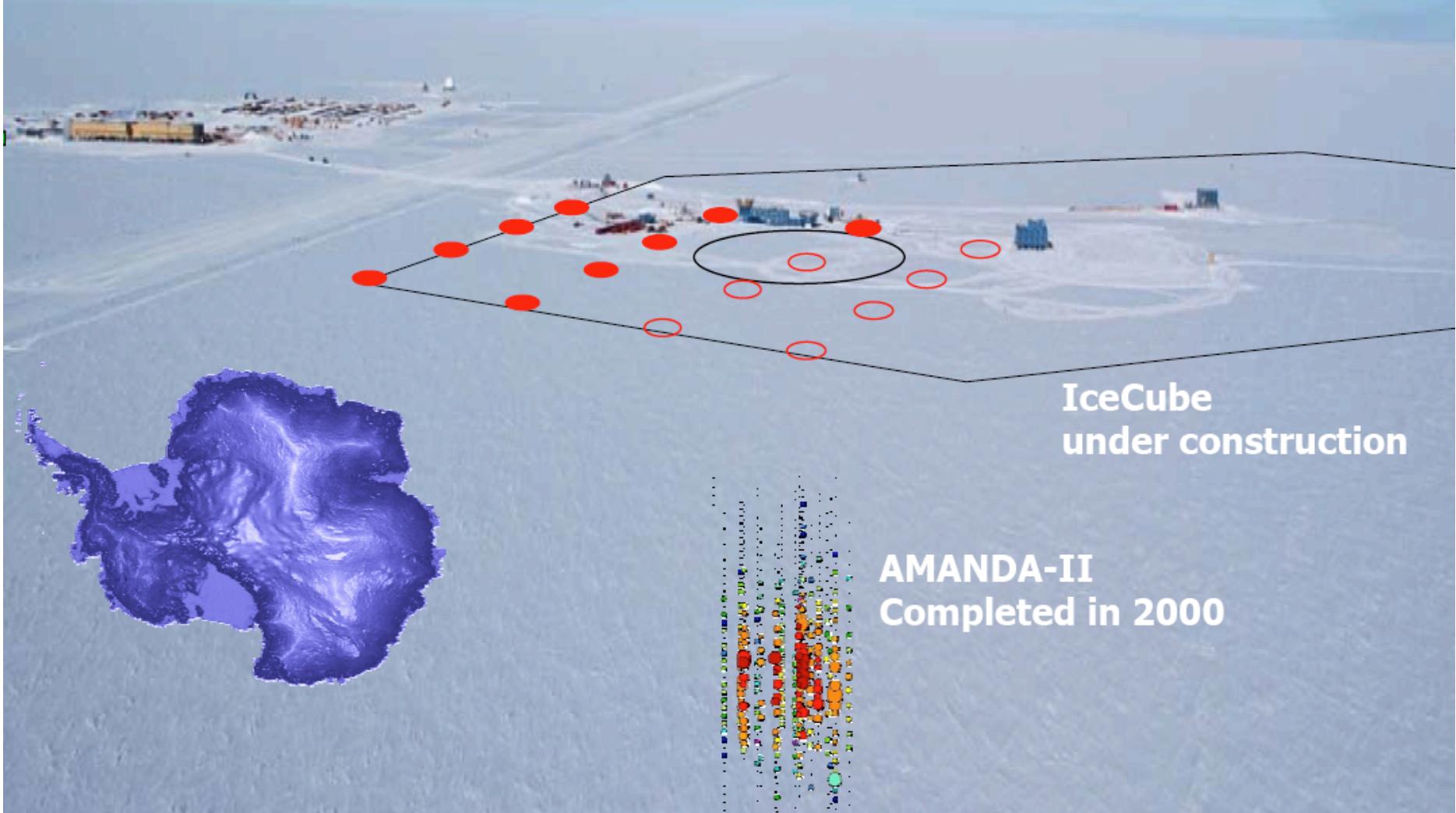
Eiffel Tower as comparison
(true scaling)

zoomed in on

AMANDA-A (top)
AMANDA-B10 (bottom)

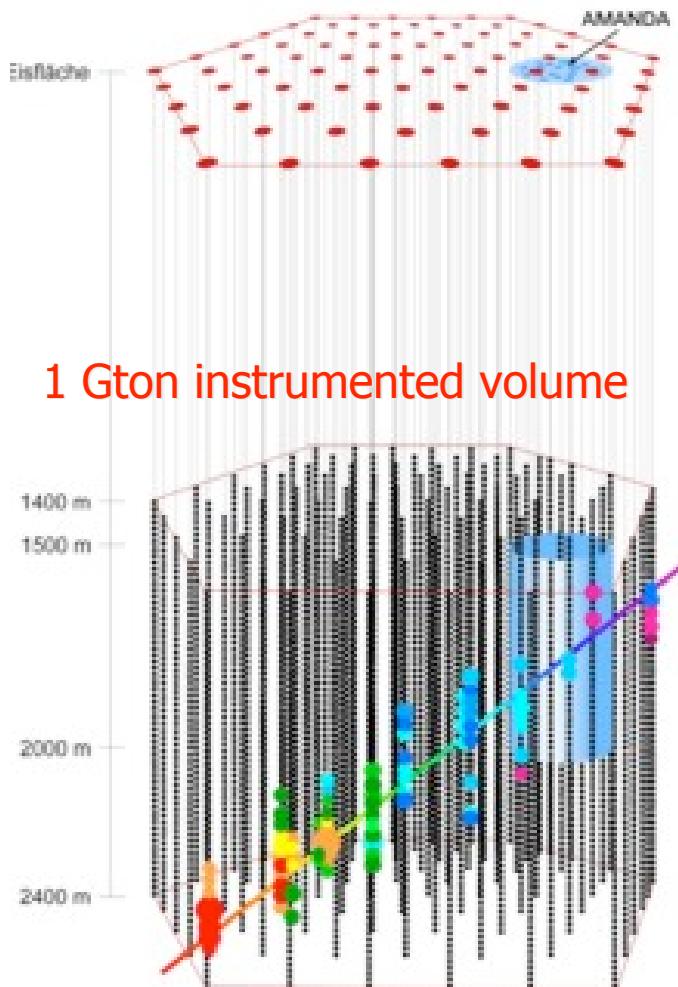
zoomed in on one
optical module (OM)

**3km deep ice at South Pole
very clear below 1450m depth**



**AMANDA-II
Completed in 2000**

IceCube: the 1st km³ detector



4800 OMs/80 strings (60 OM/string spaced by 17 m) DOM: 10 inch Hamamatsu R-7081 (digitized data)

IceTop: $E_{th} = 300 \text{ TeV}$
80 pair of 2m diameter tanks close to each hole filled by 1m ice instrumented with 2 DOMs
veto and calibration for angular response, CR composition
100 events/d with coincident μ s

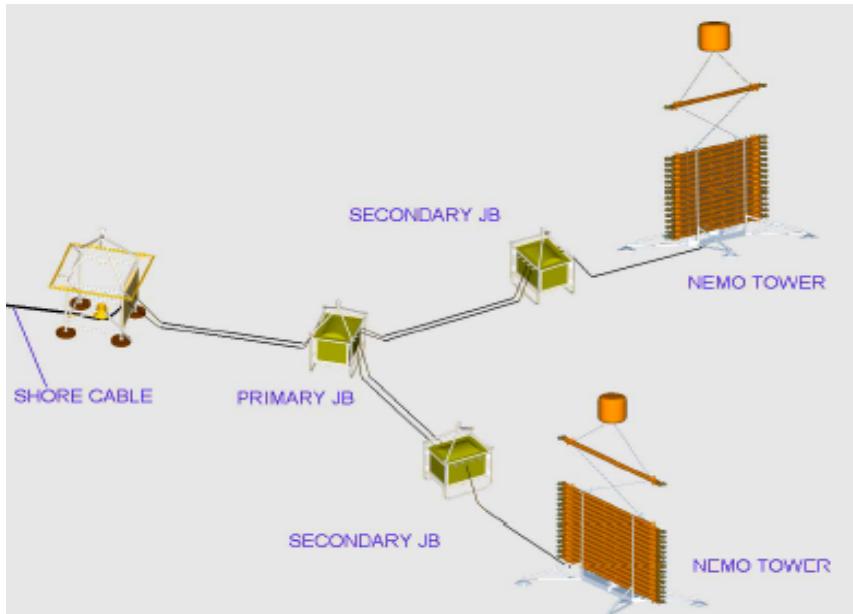
Last season: 76 DOMs working and successfully deployed: 1st IceCube string 8 IceTop tanks deployed.

NEutrino Mediterranean Observatory

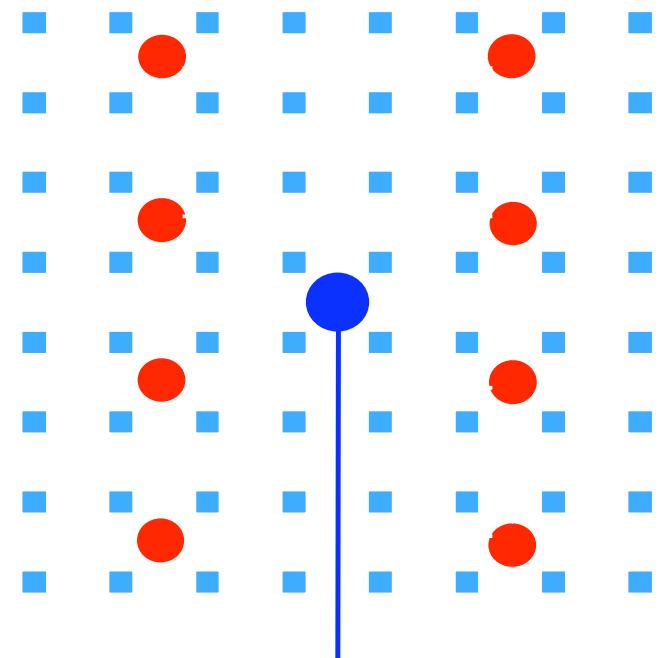
<http://nemoweb.lns.infn.it>

- **R&D Phase (1999-2002):** >20 sea campaigns ⇒ optimal site Capo Passero 3500 m depth , 80km offshore; R&D on materials, large area PMTs and mechanical structures for long-term measurements in sea water, low power consumption electronics; feasibility study and simulations

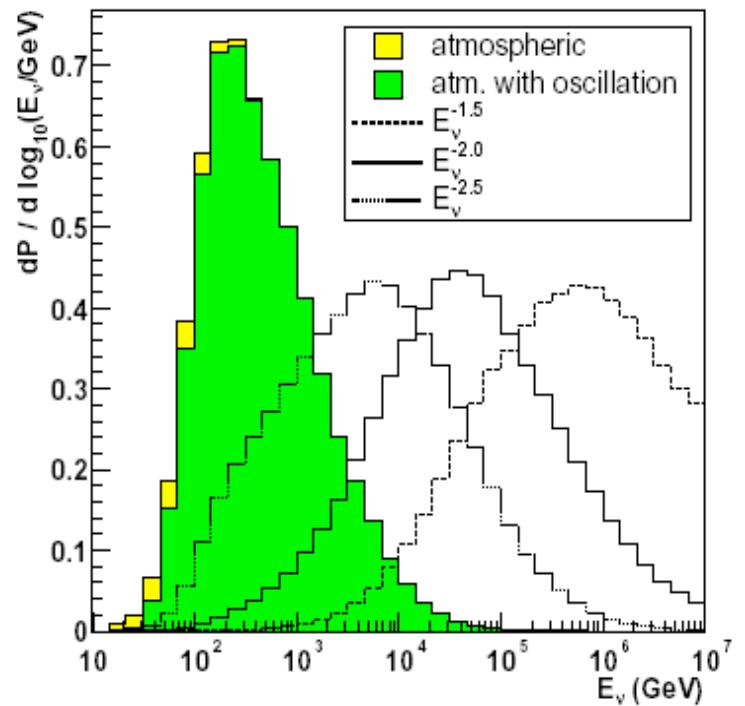
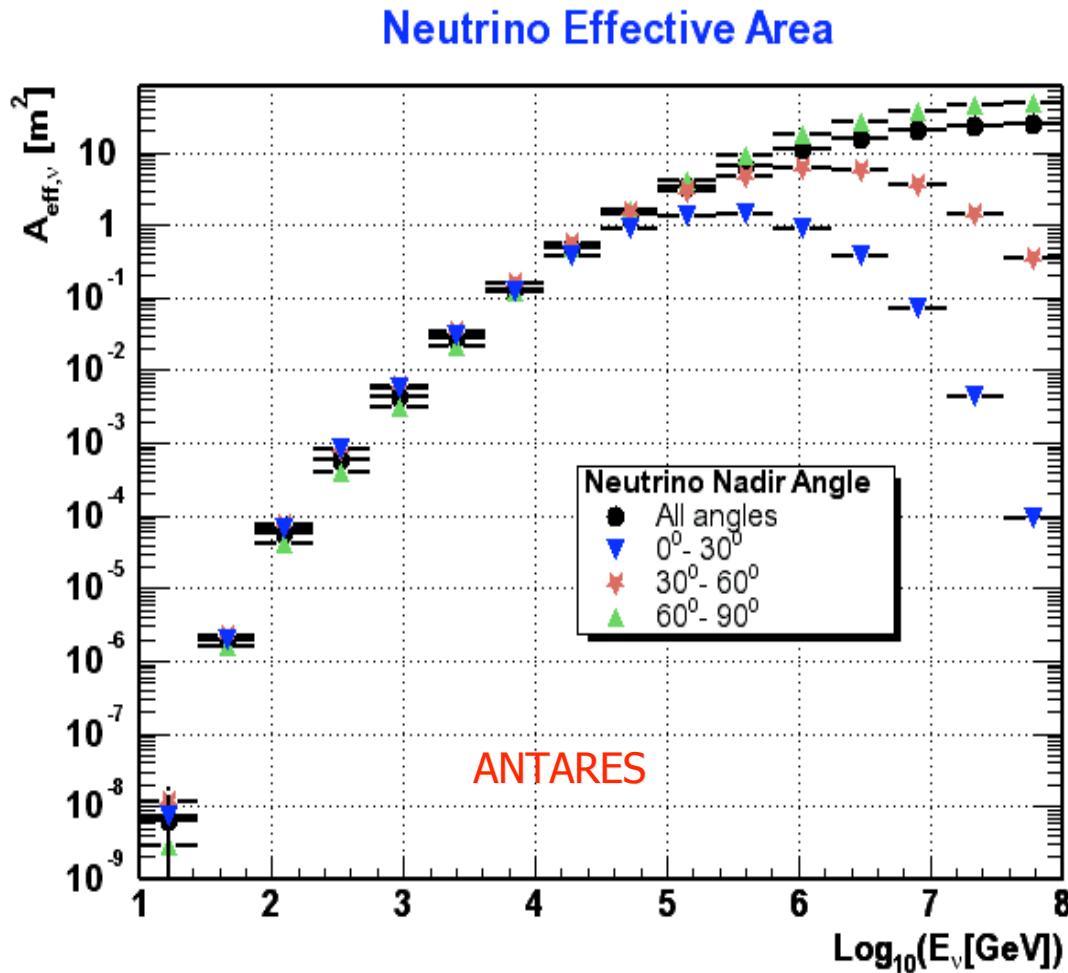
- **Phase 1 (2002-2006) Advanced R&D:**
1st multi-purpose underwater Lab



Montaruli, Apr. 2006



Detector Parameters

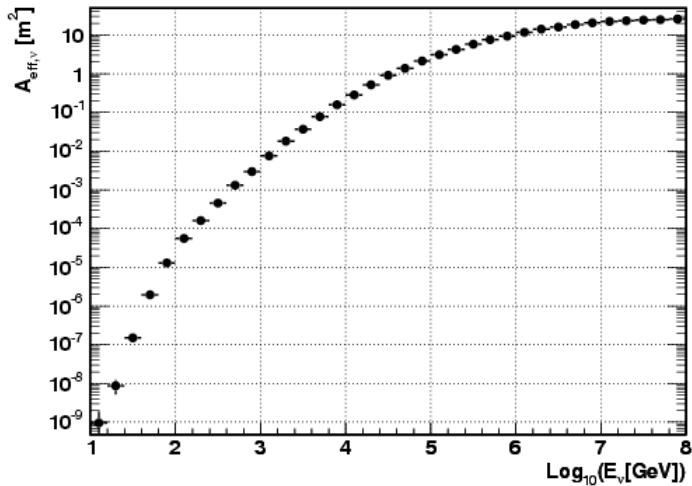


$$N_\mu = \int A_{\text{eff}}^\nu (E_\nu, \theta_\nu, \phi_\nu) \frac{d\Phi_\nu}{dE_\nu d\Omega_\nu} dE_\nu d\Omega_\nu$$

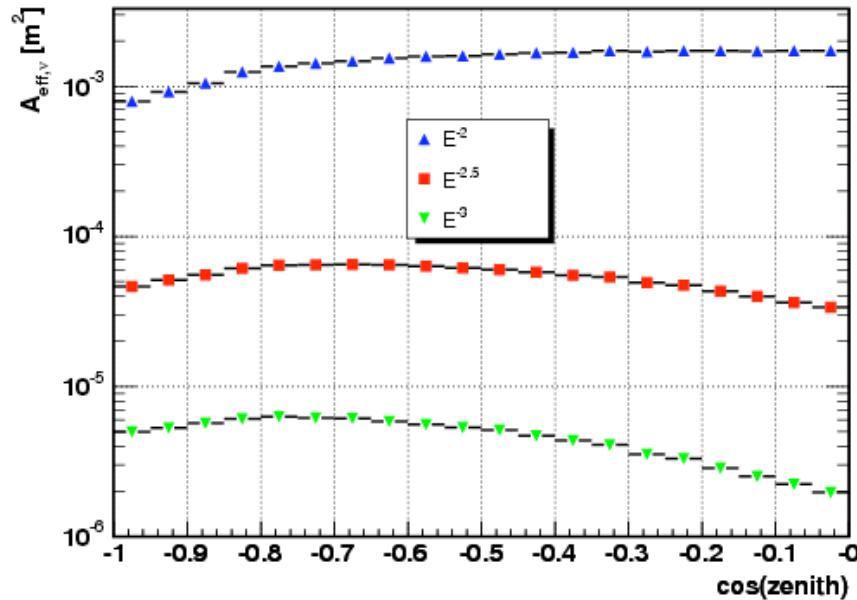
Montaruli, Apr. 2006

Effective areas for ν_μ

Neutrino Effective Area vs logE



Neutrino Effective Area vs cos(zenith)

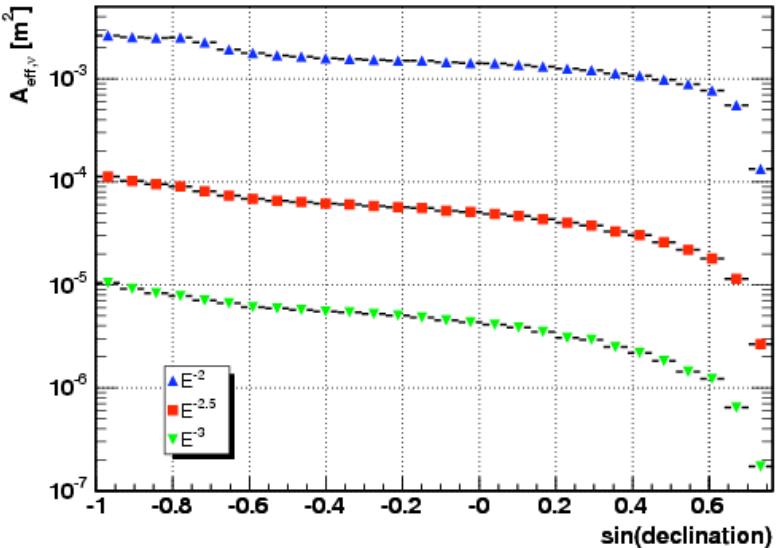


$$A_{\text{eff}}^\nu(E_\nu, \vartheta_\nu, \phi_\nu) = V_{\text{eff}}^\nu \cdot \rho N_A \sigma(E_\nu) \cdot P_{\text{Earth}}(E_\nu)$$

↓

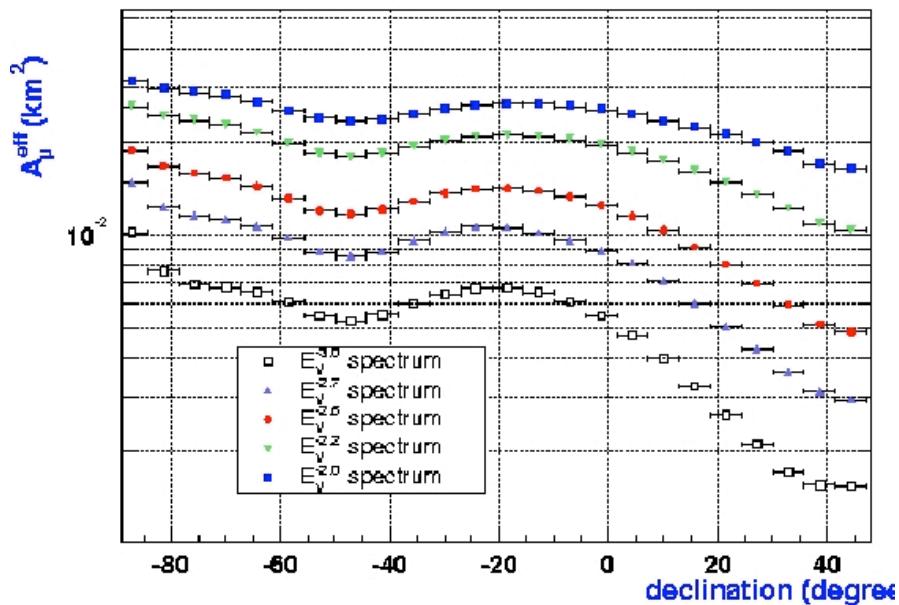
$$\frac{N_x(E_\nu, \vartheta_\nu, \phi_\nu)}{N_{\text{gen}}(E_\nu, \vartheta_\nu, \phi_\nu)} \cdot V_{\text{gen}}$$

Neutrino Effective Area vs sin(declination)

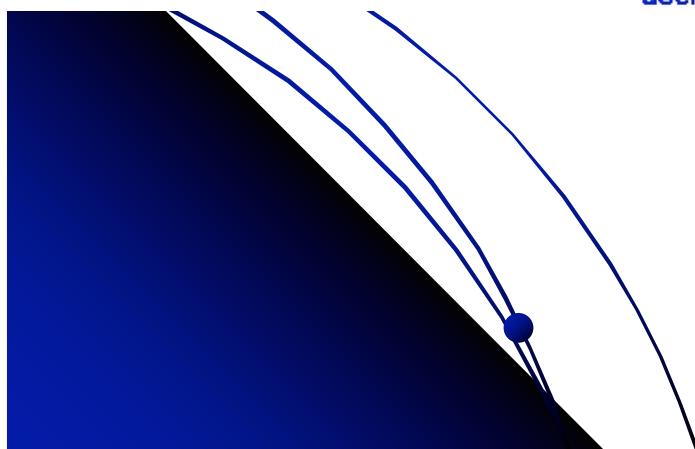
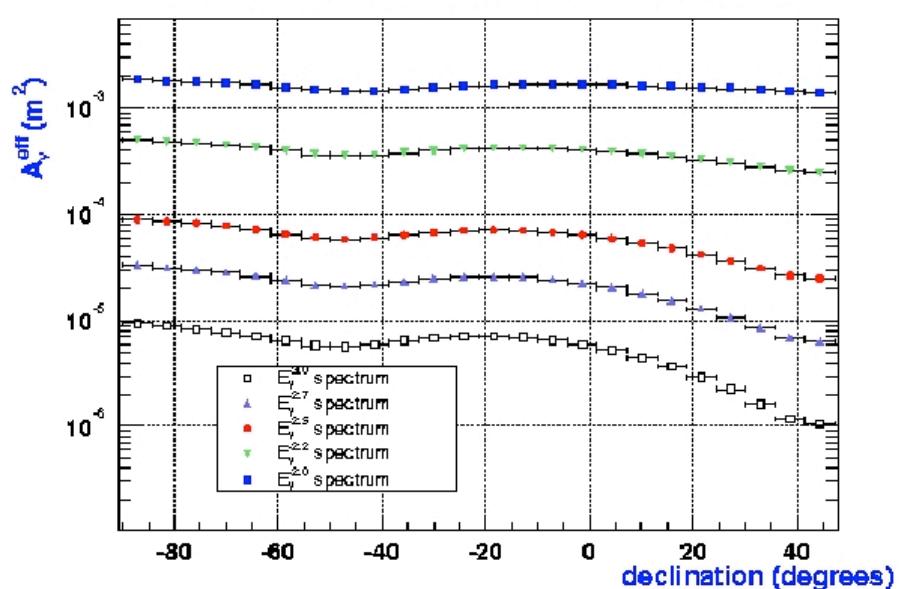


Effective areas for muons and neutrinos

Effective area for muons vs declination



Effective area for neutrinos vs declination

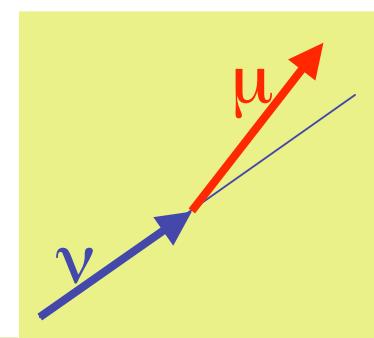
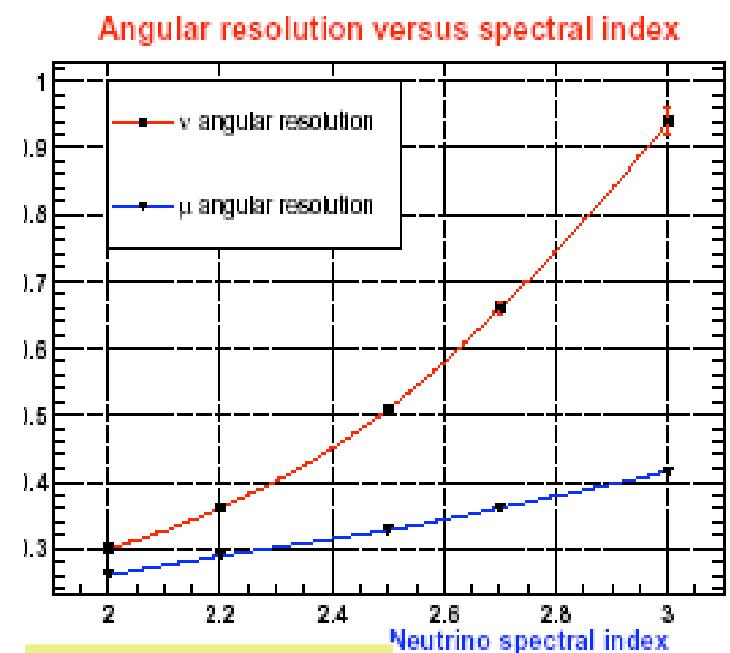
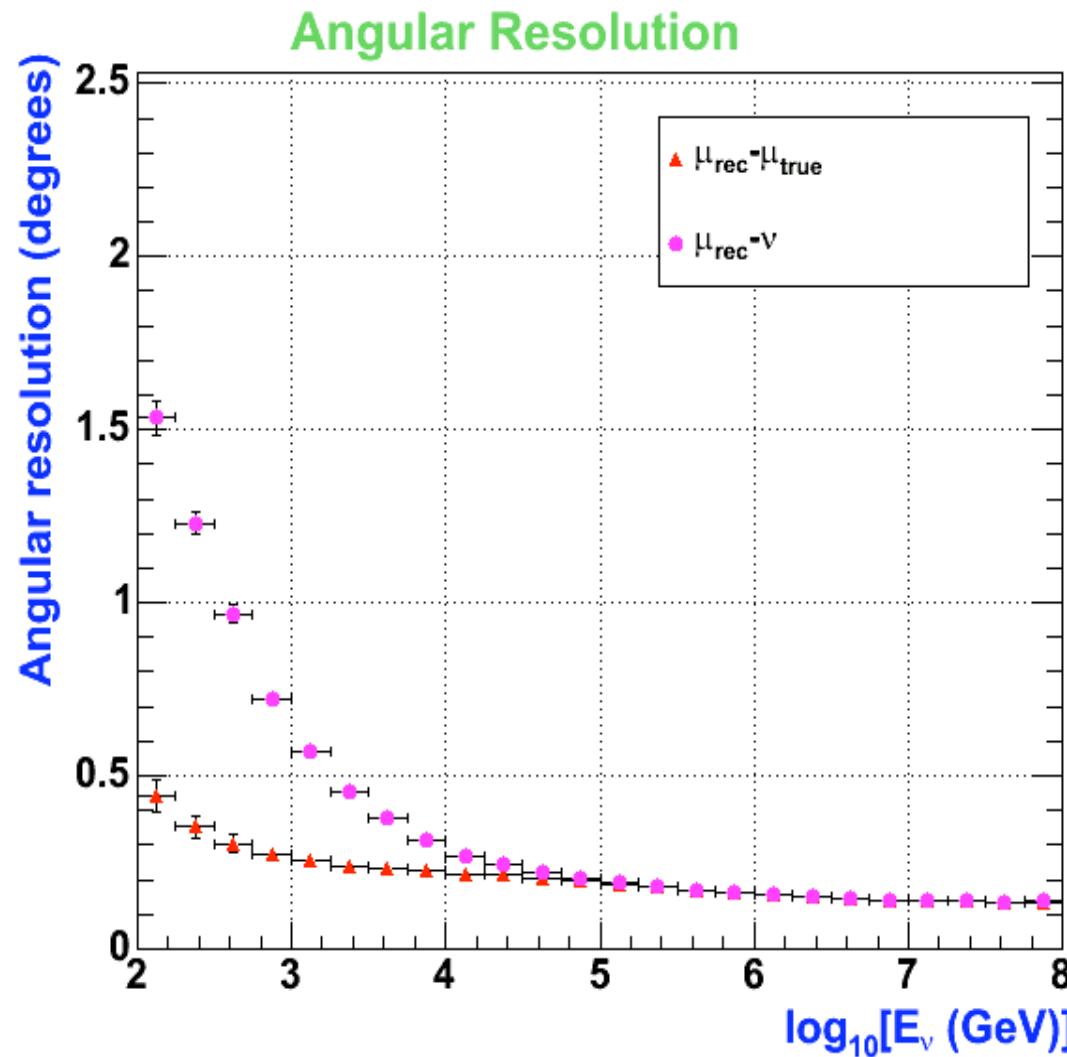


Teresa Montaruli, Apr. 2006

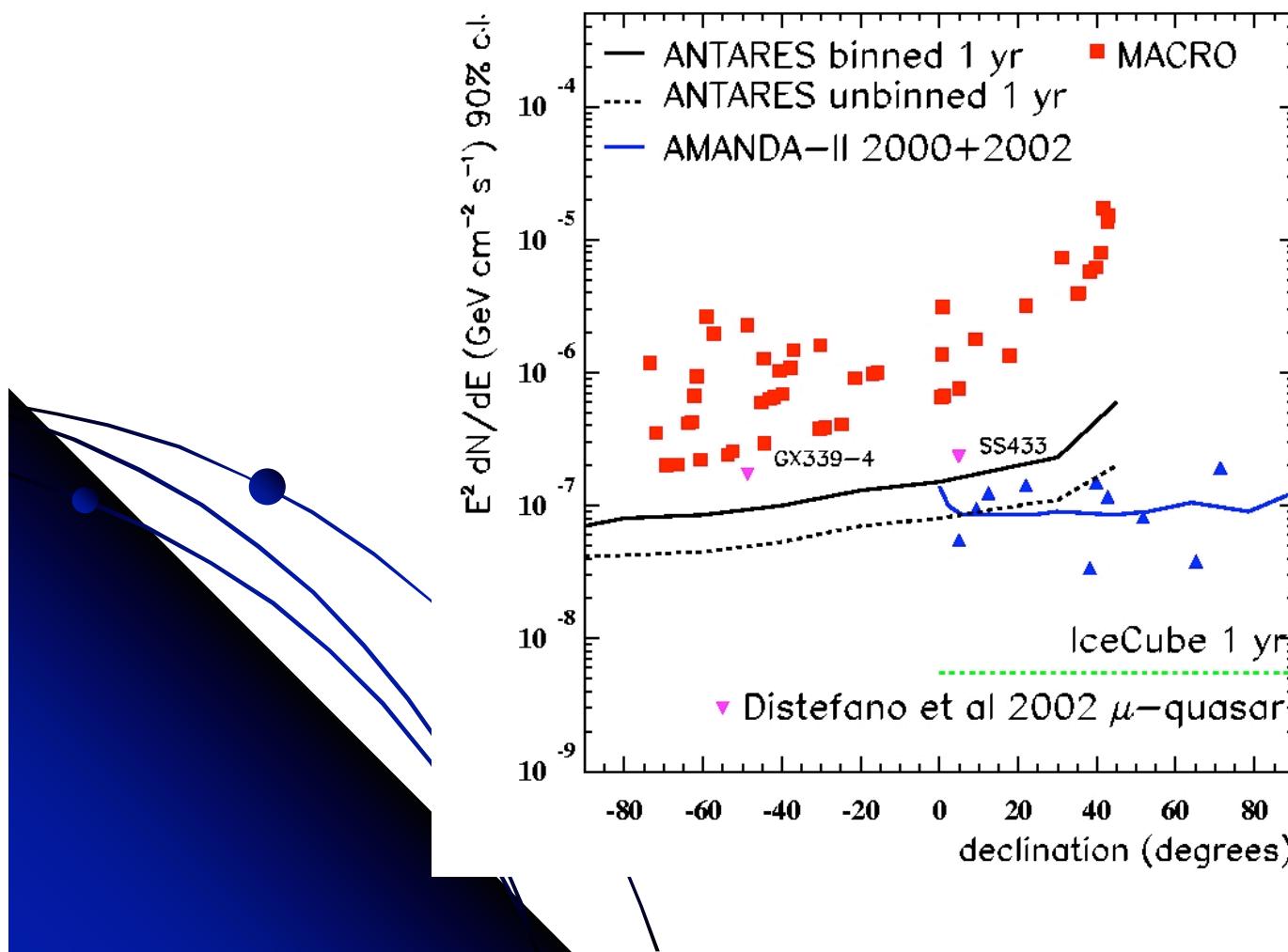
Detector Parameters

Sensitivity for point-like sources: $N/\sqrt{B} \propto \sqrt{(A^{\text{eff}} T)/\Delta\theta}$

$$N = A^{\text{eff}} T \quad B = A^{\text{eff}} T \Delta\theta^2$$



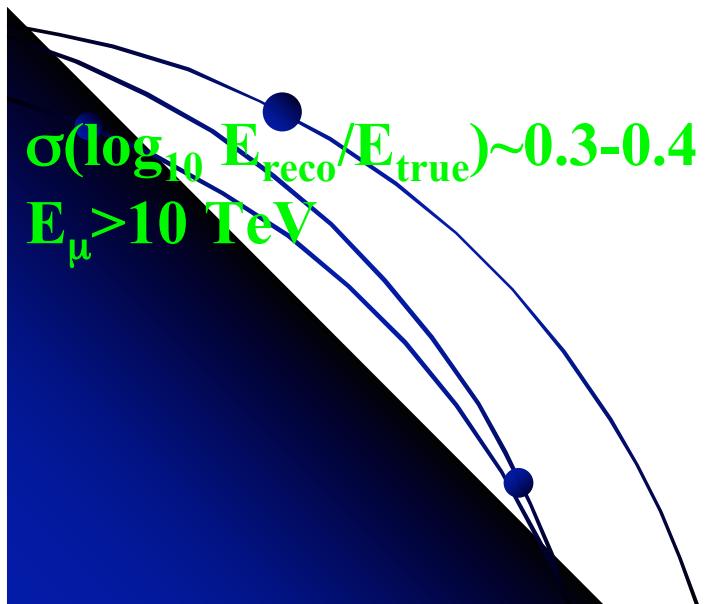
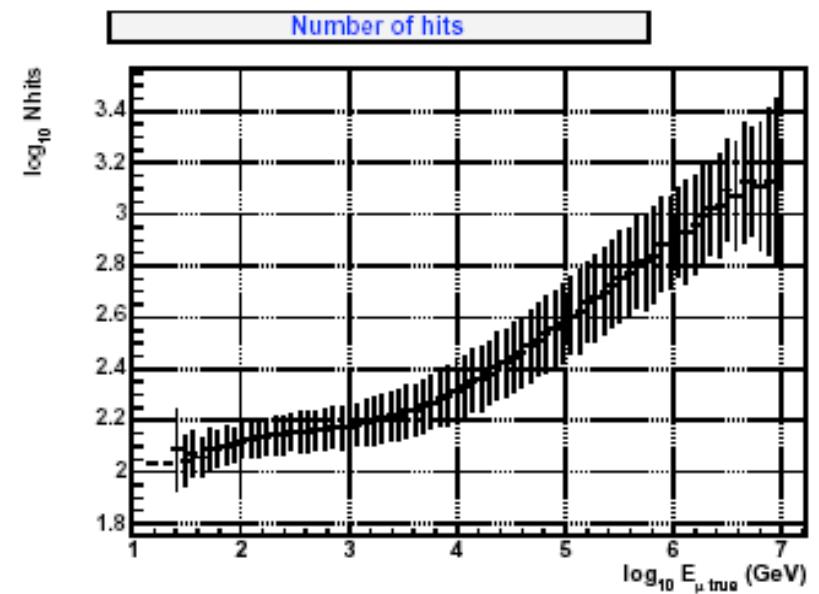
Point-like sources



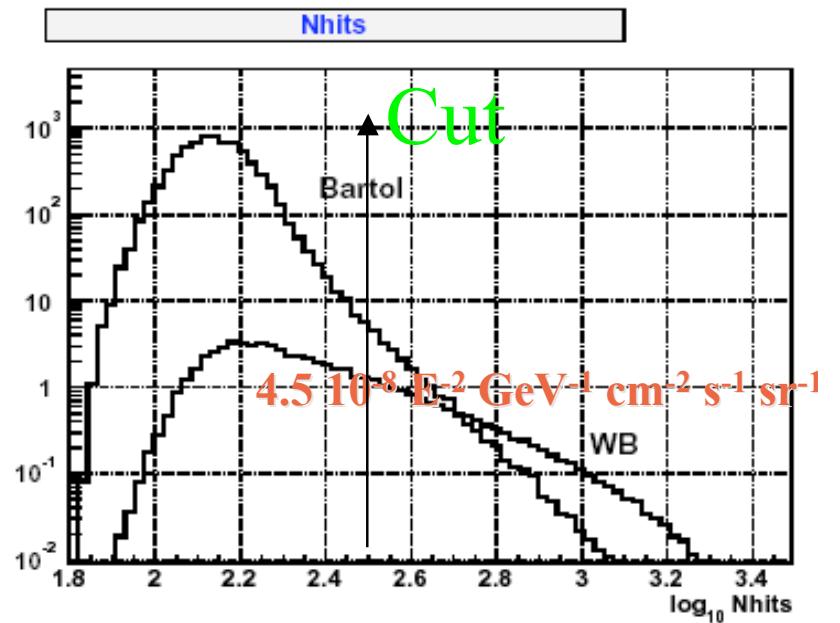
Energy Estimators and spectra unfolding

Various estimators:

- Number of Hits
- hit amplitude compared to MIP expected one
- $dE/dx = \text{amplitude}/\text{track length}$

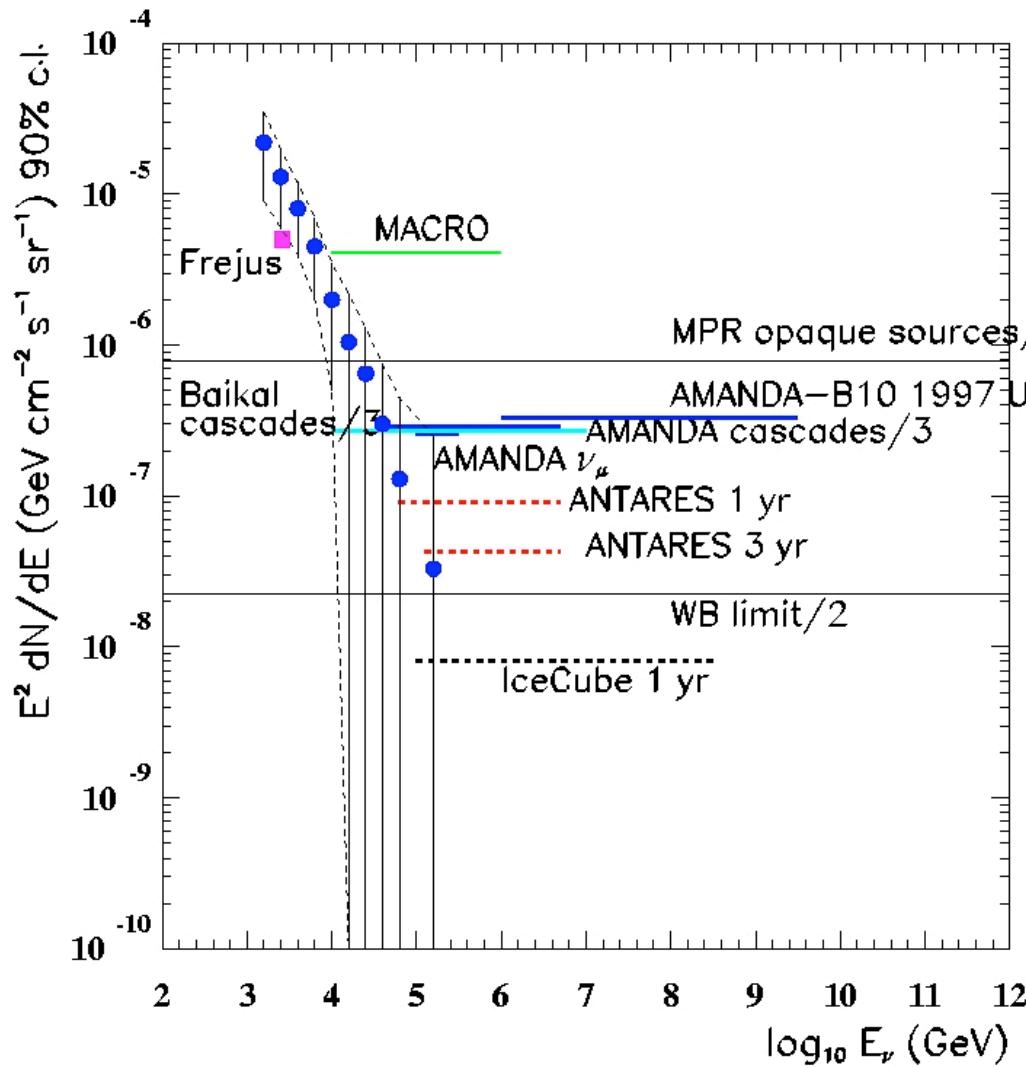


Teresa Montaruli, Apr. 2

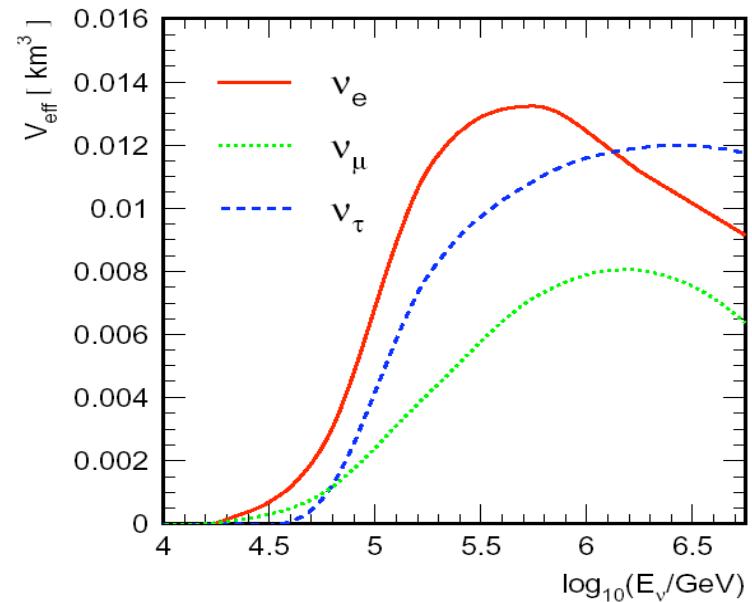


Diffuse ν_μ Fluxes

90% cl E^{-2} ν flux



$$E^2 \frac{d\Phi}{dE} = \frac{N_{90\%}}{TN_A \rho_{ice} \sum_l f_l \int E^{-2} \xi_l(E, \theta) \sigma_{tot}^l(E) V_{eff}^l(E, \theta) d\Omega dE}$$



Neutrino astronomy is a new adventure towards
our understanding

